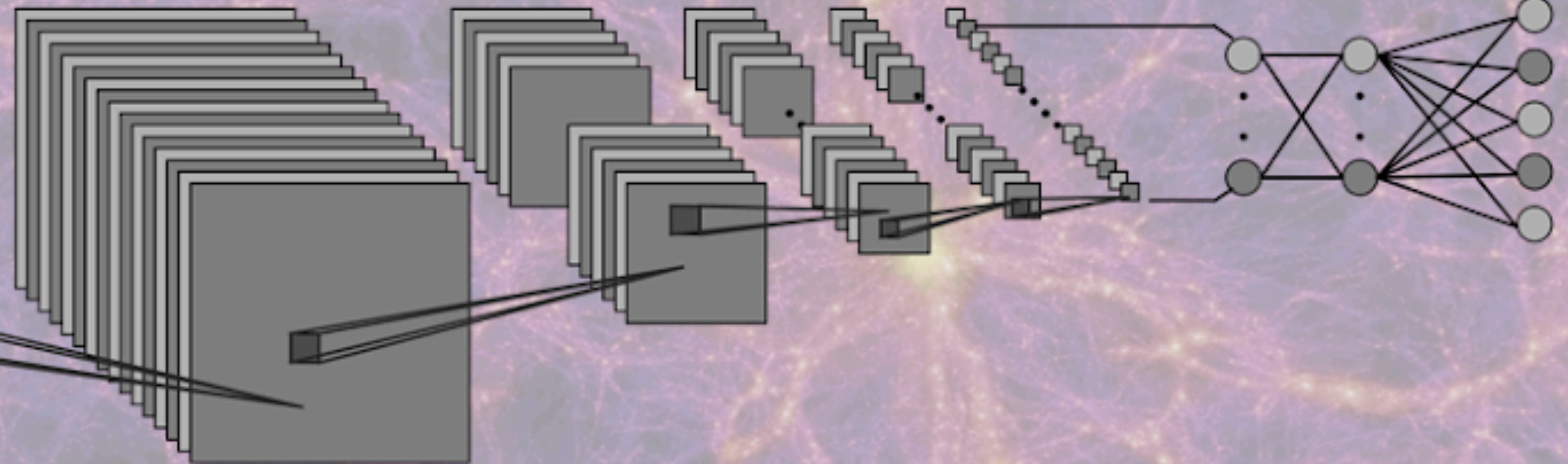
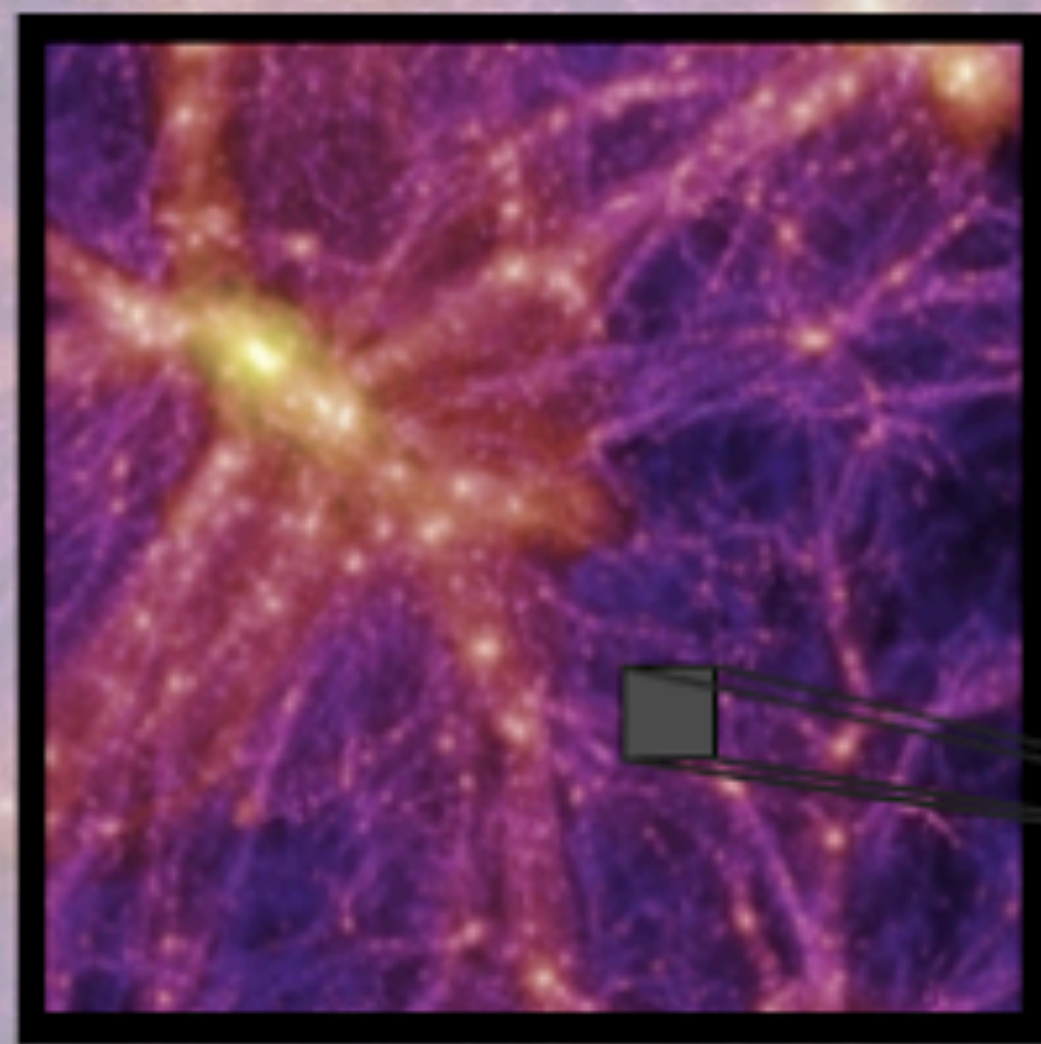


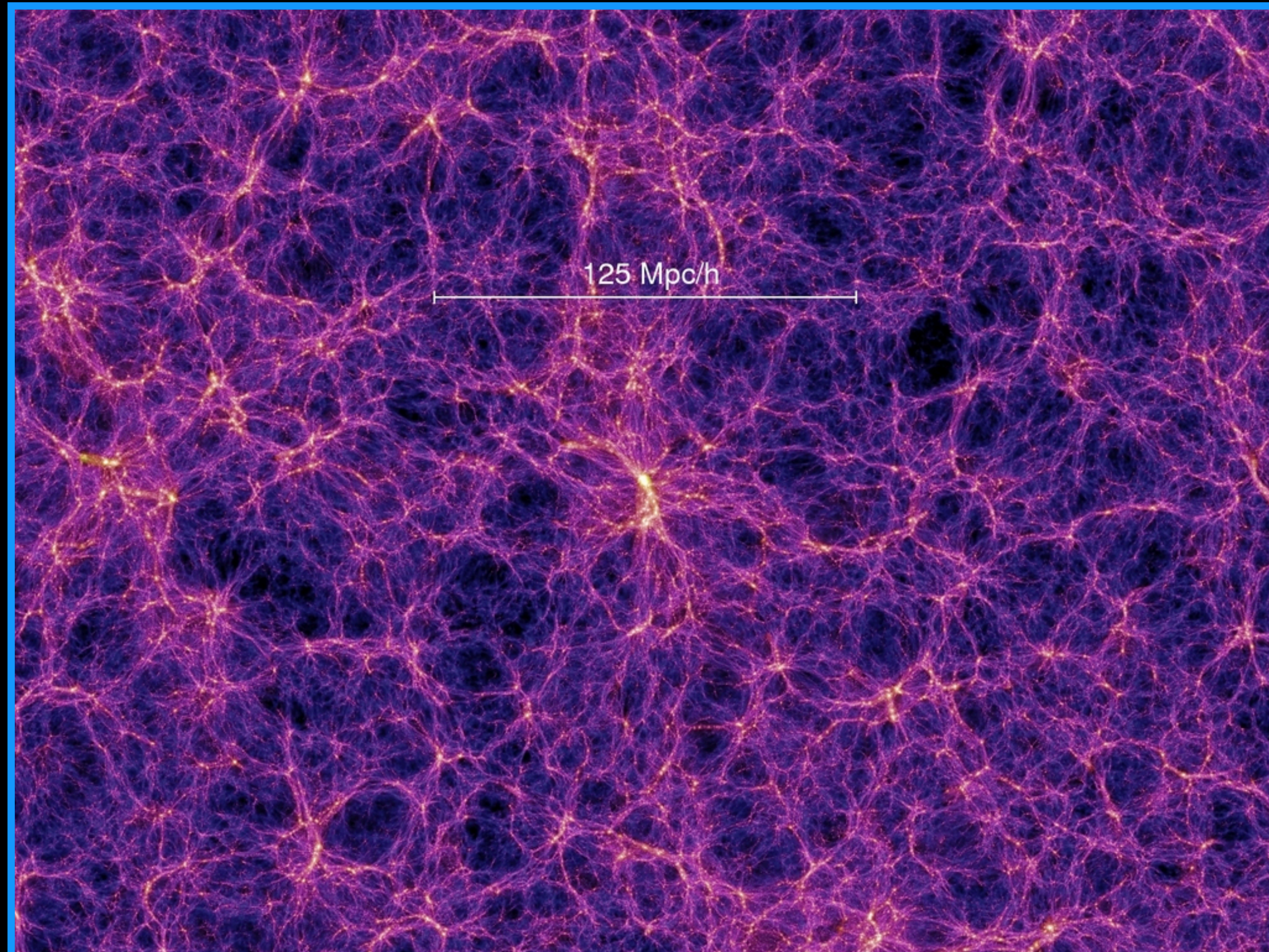
AI analyses dark matter maps:

improving the precision of cosmological measurements with CNNs

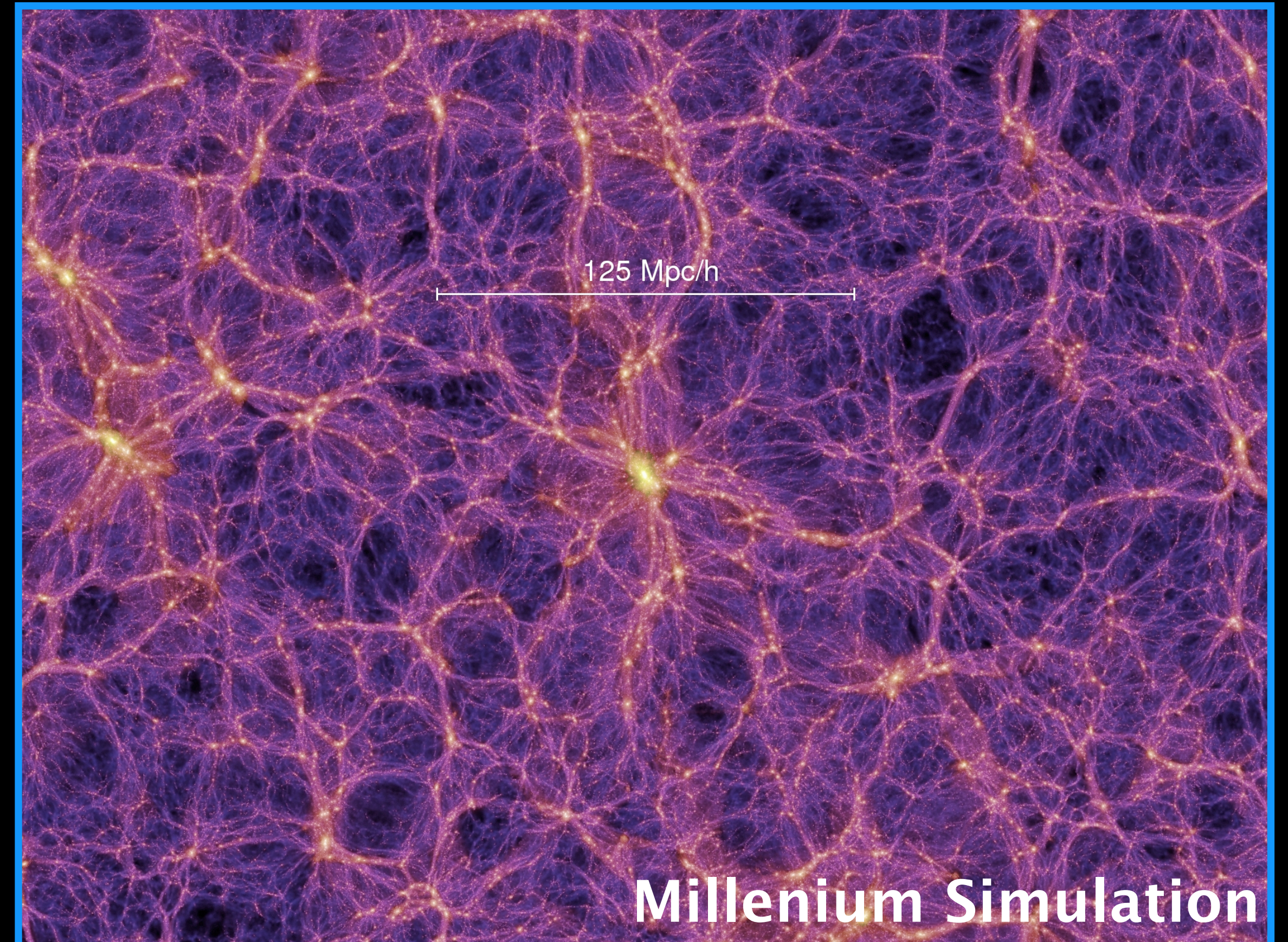


Tomasz Kacprzak (ETH Zurich),
Janis Fluri, Aurelien Lucchi, Nathanaël Perraudin,
Thomas Hoffman, Alexandre Refregier, Adam Amara

Distribution of dark matter in the universe



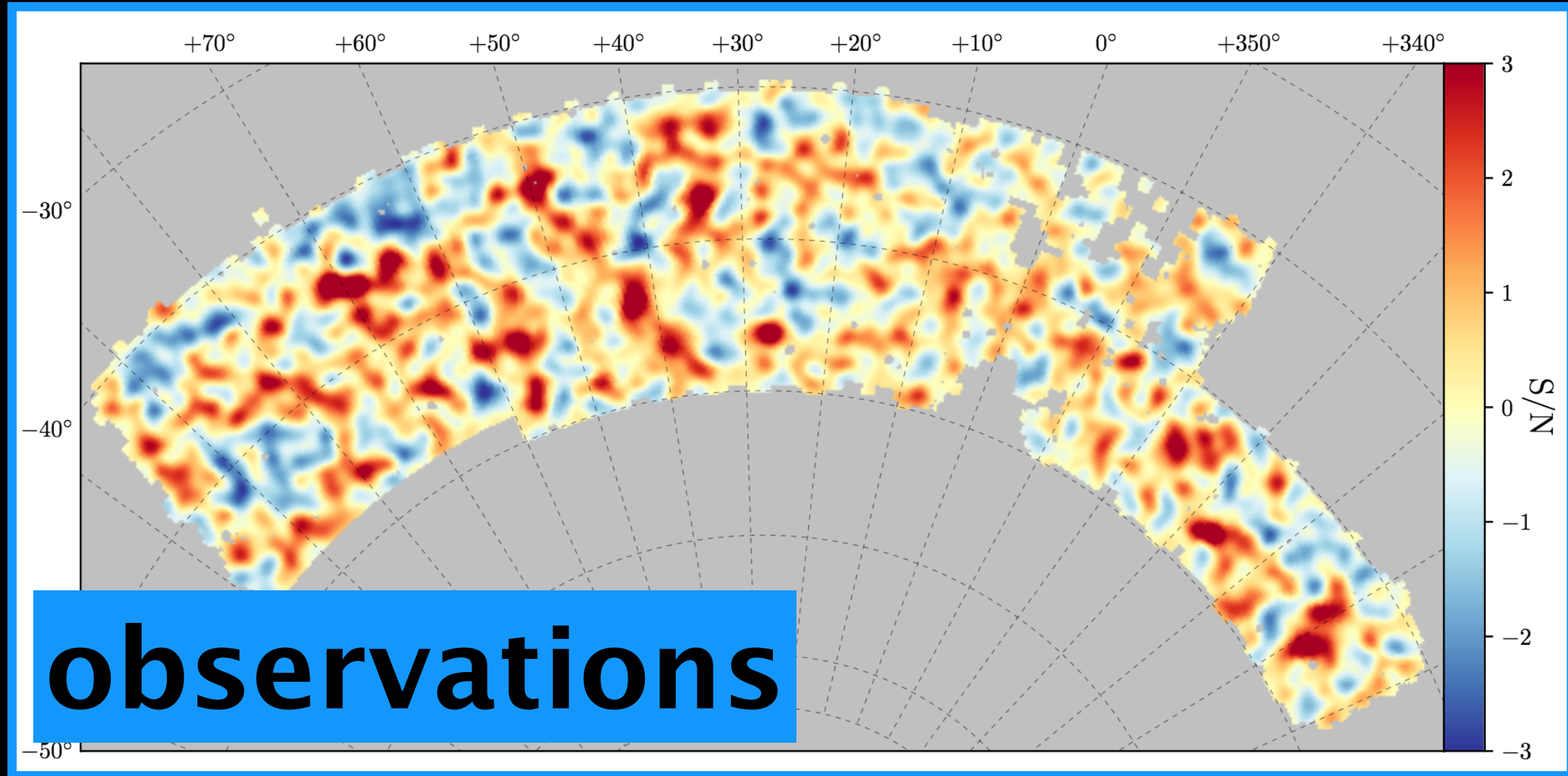
4.7 billion years after the big bang



today, 13.6 billion years

Dark matter distribution can teach us about the laws of physics: gravity, dark energy, dark matter

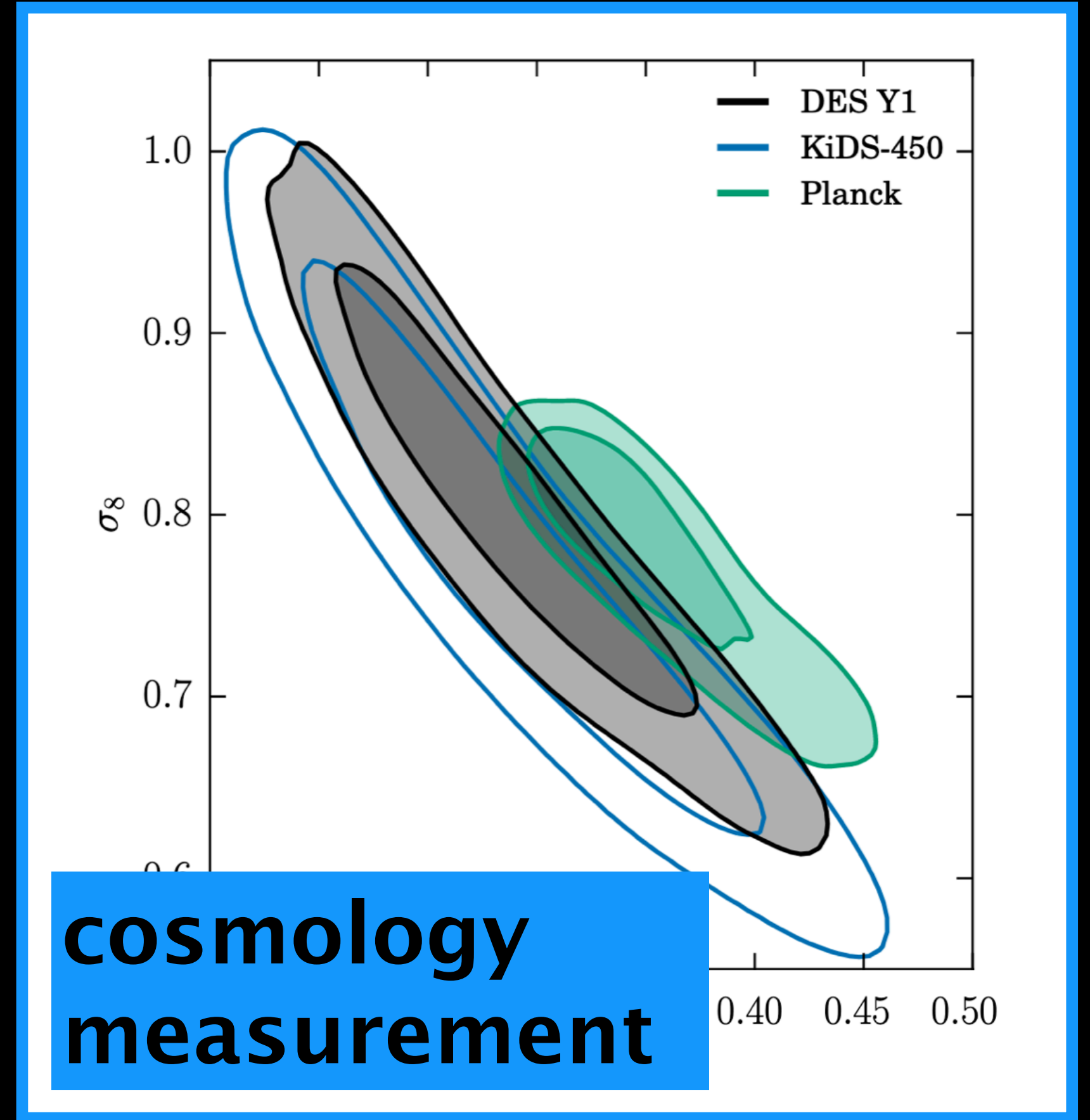
Cosmological parameter inference



DES Collaboration (+TK) 2017 1708.01535

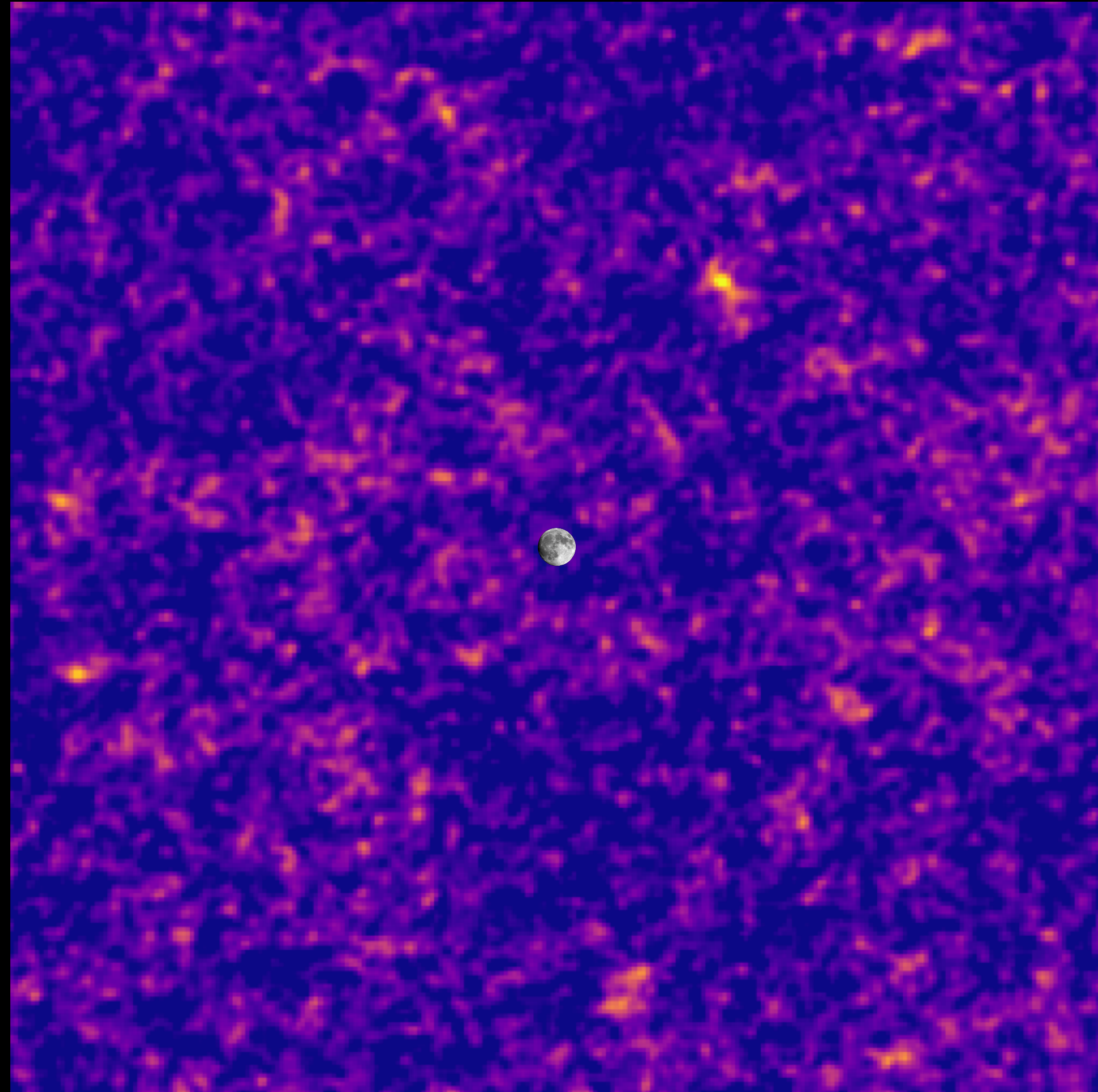


amplitude of
matter fluctuations σ_8

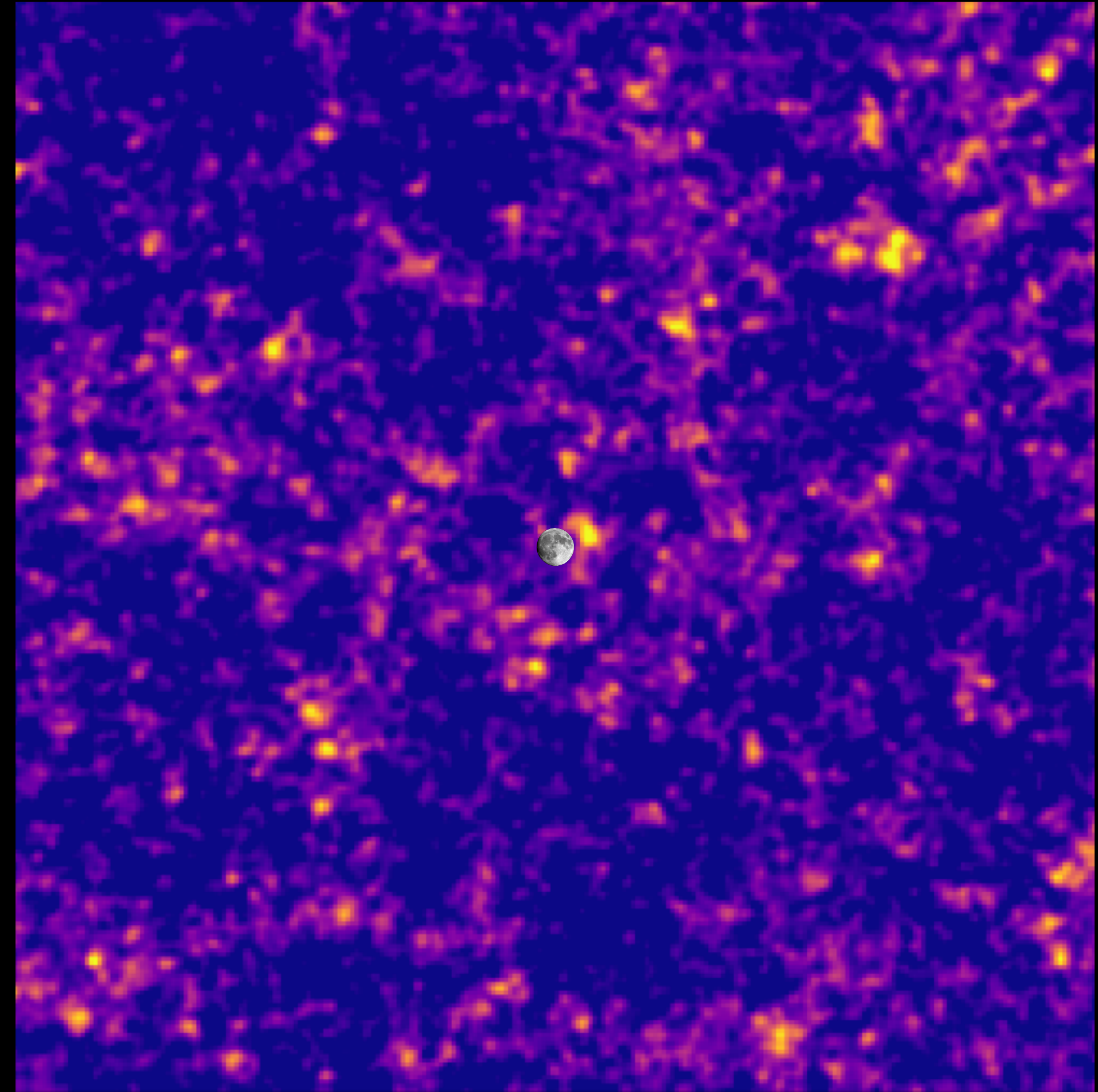


matter density Ω_m

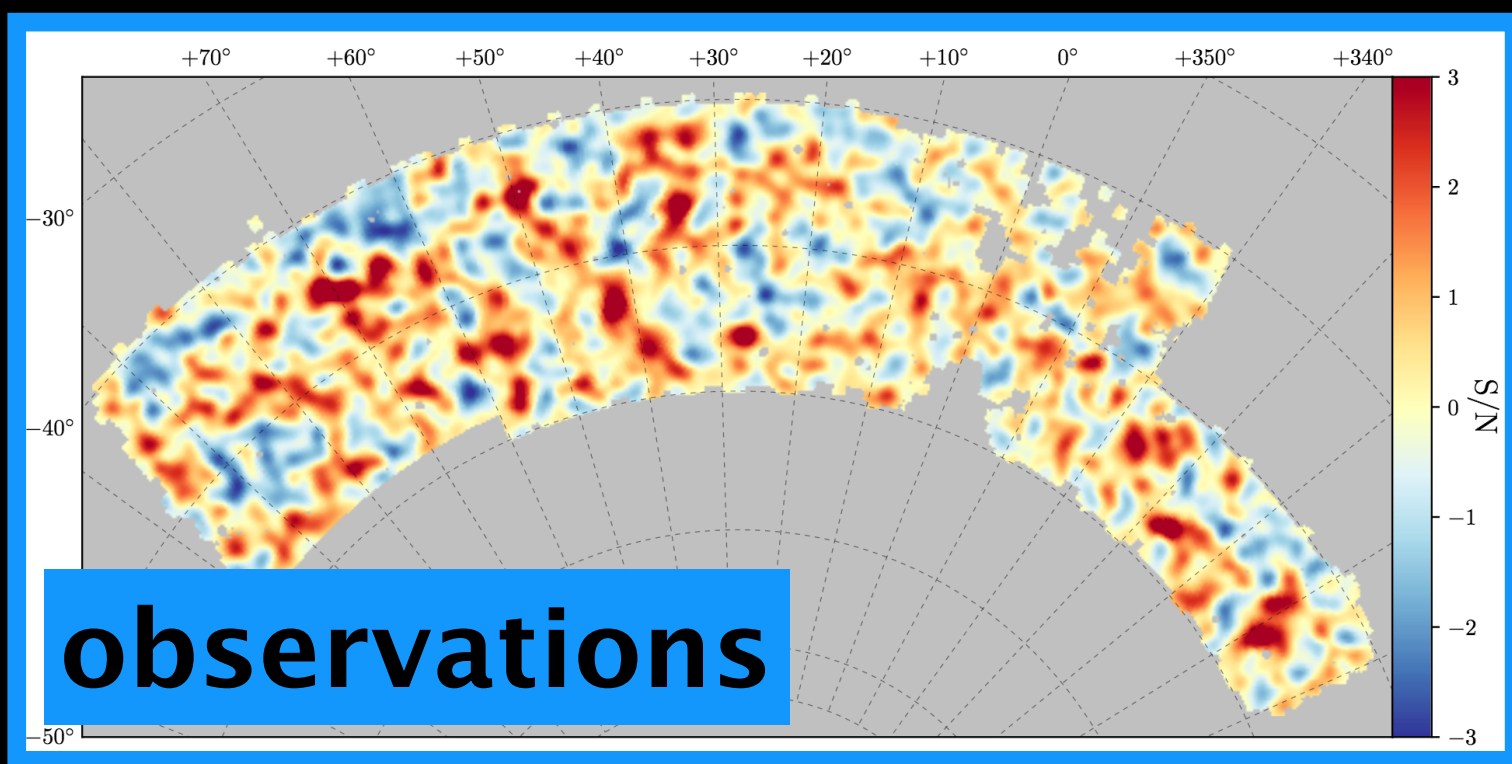
Dark matter distribution carries non-Gaussian information about the cosmological model



low σ_8 low Ω_m



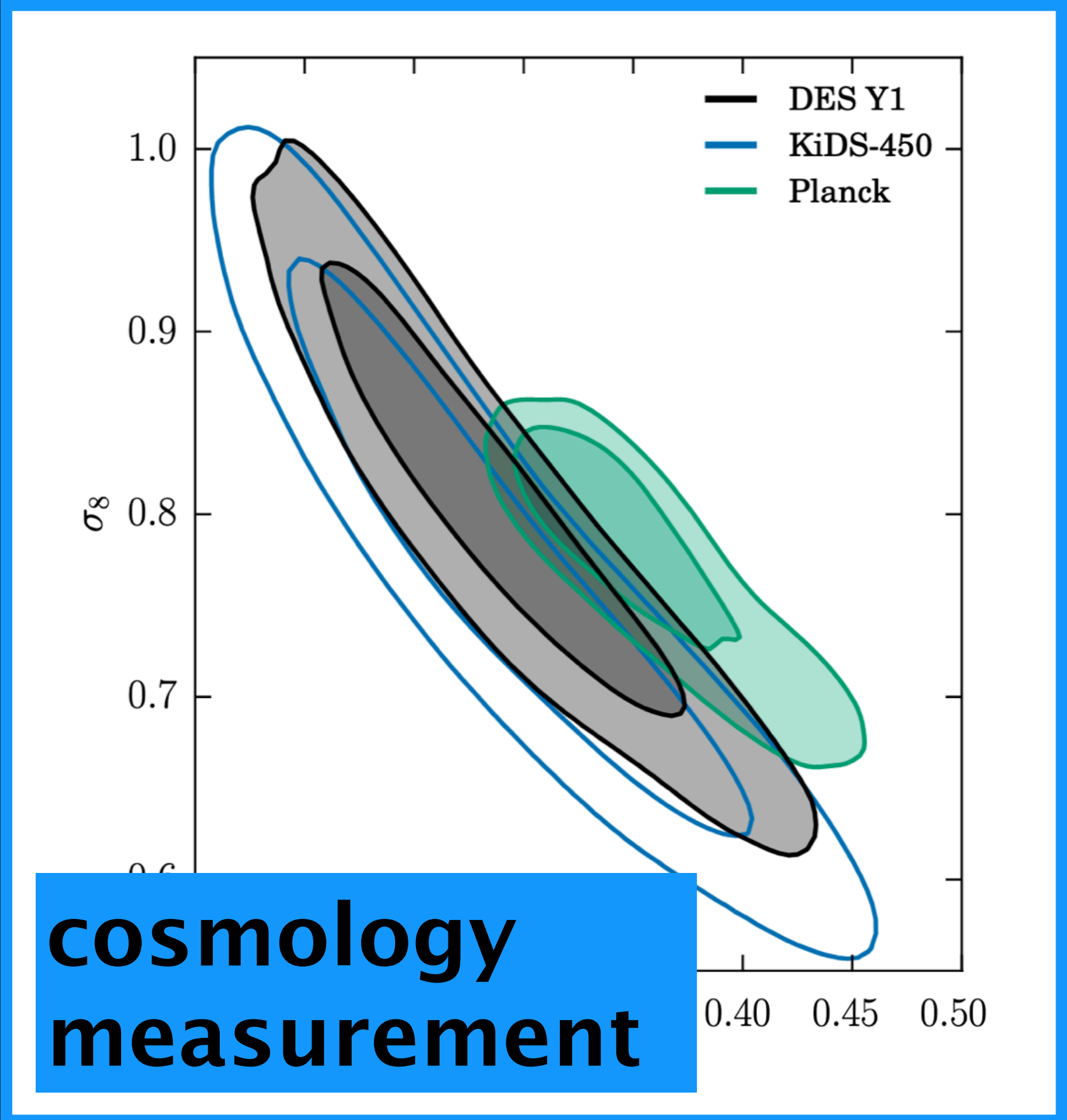
high σ_8 high Ω_m



comparison method?



σ_8



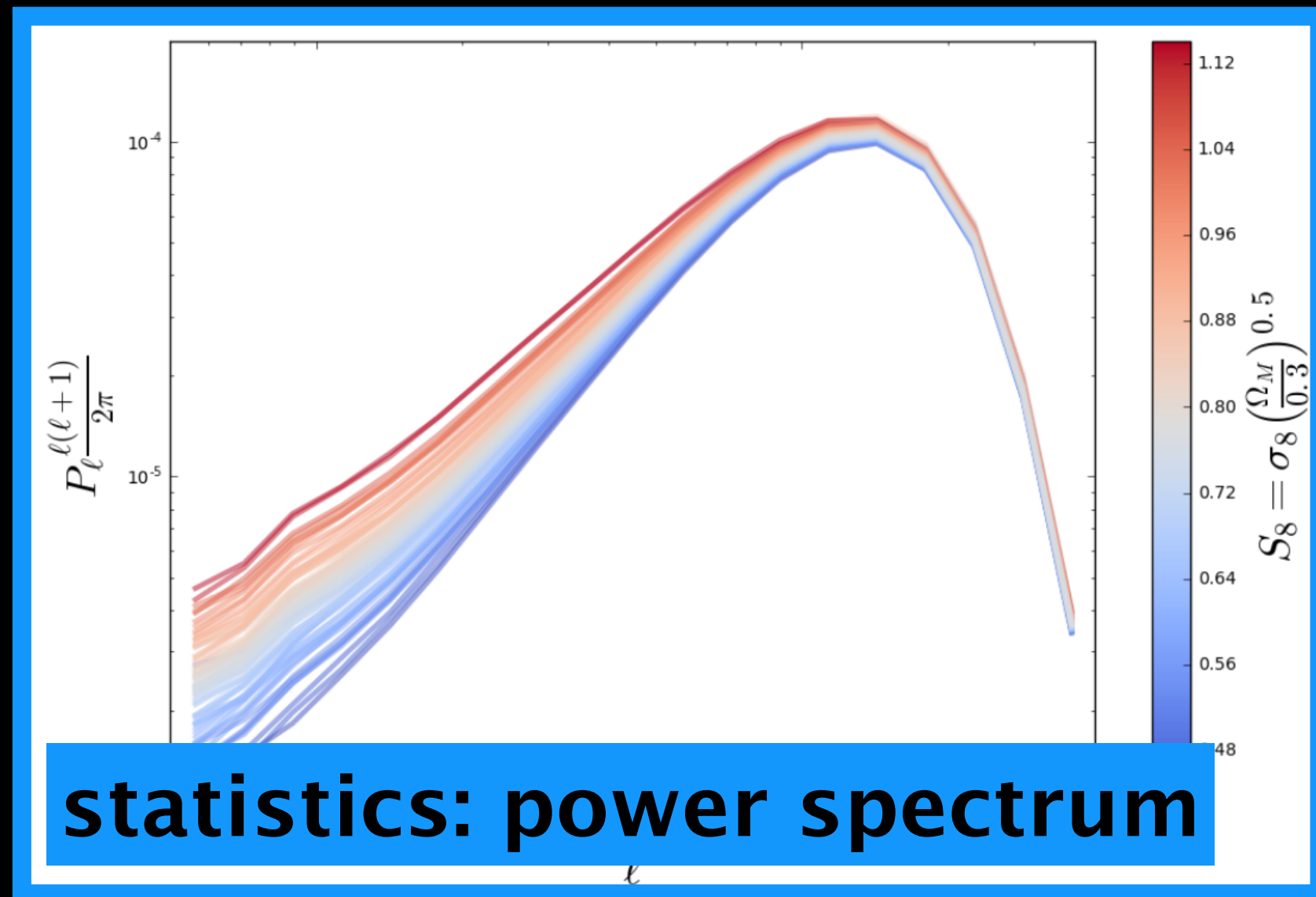
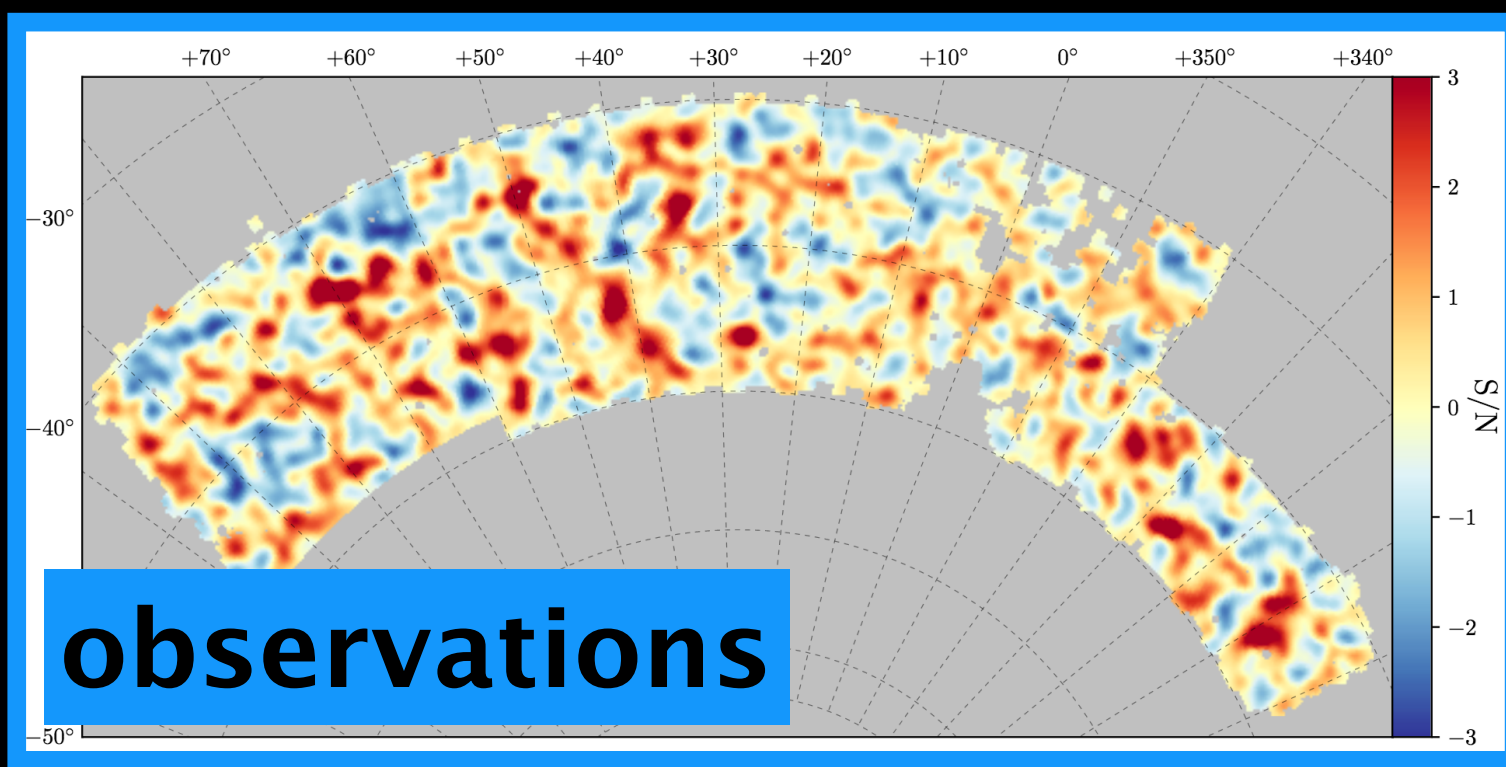
cosmology measurement

Ω_m

$\Omega_m \sigma_8 H_0 \dots$

theory prediction

Traditional inference

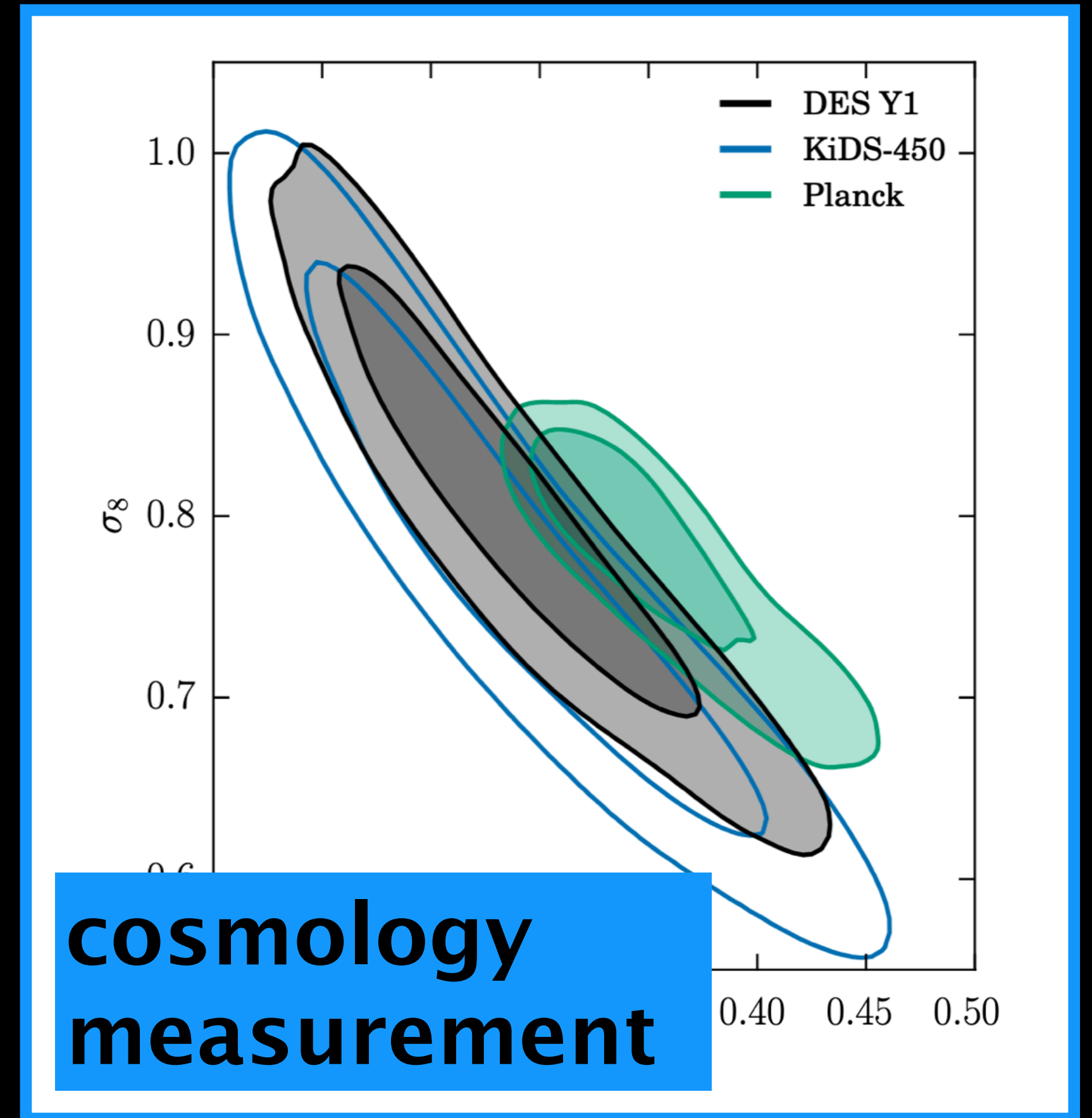


$$C_l = \frac{9}{16} \left(\frac{H_0}{c} \right)^4 \Omega_m^2 \int_0^{x_h} d\chi \left[\frac{g(\chi)}{ar(\chi)} \right]^2 P \left(\frac{l}{r}, \chi \right),$$

theory prediction: analytical

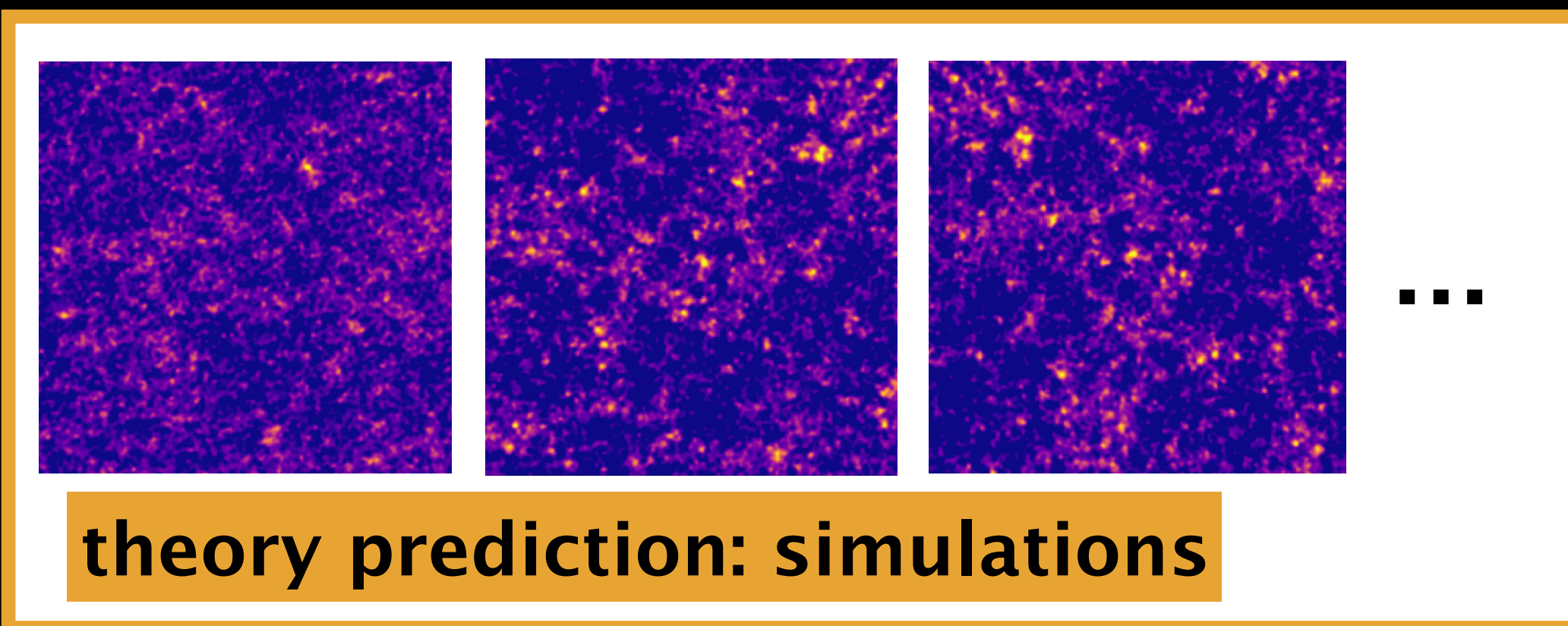
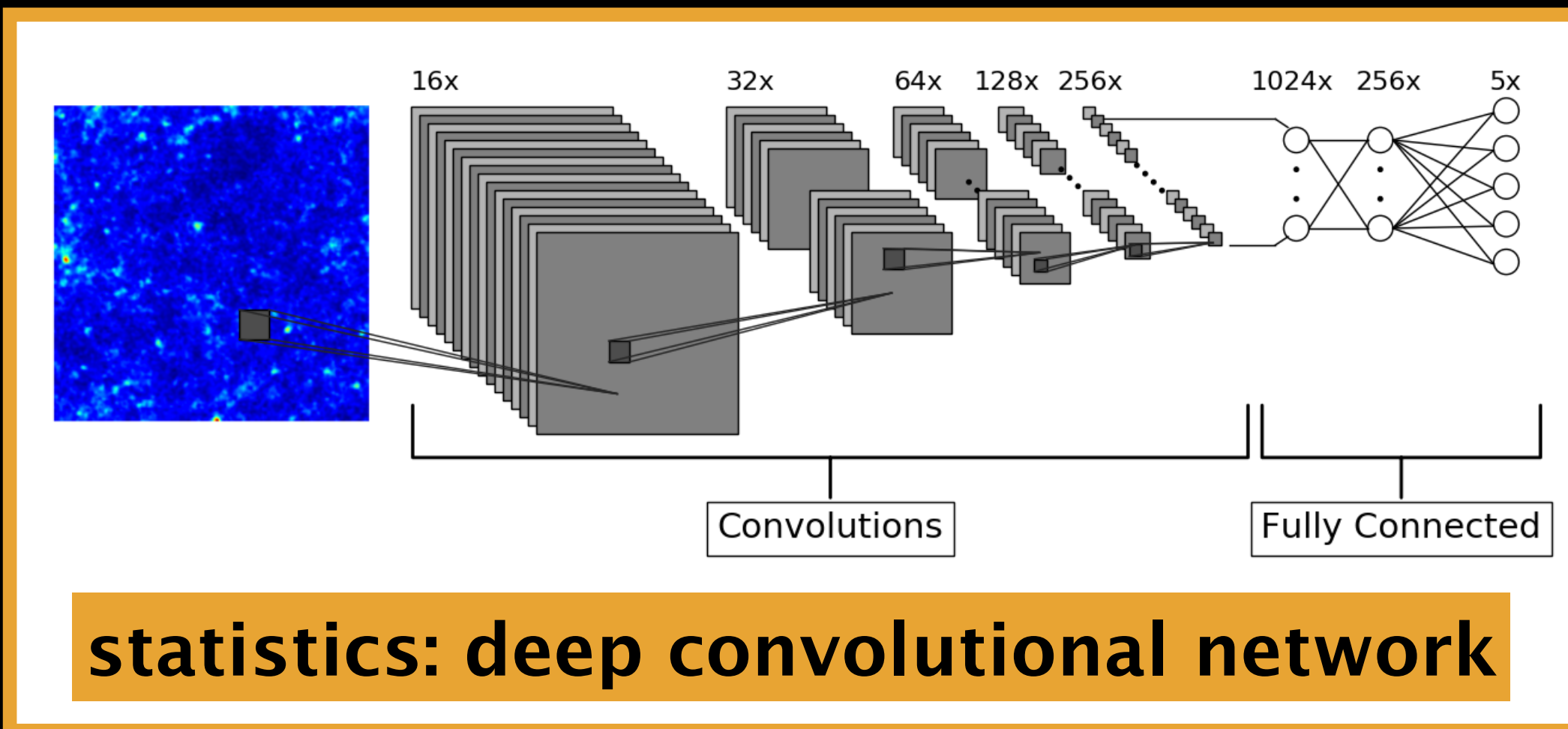
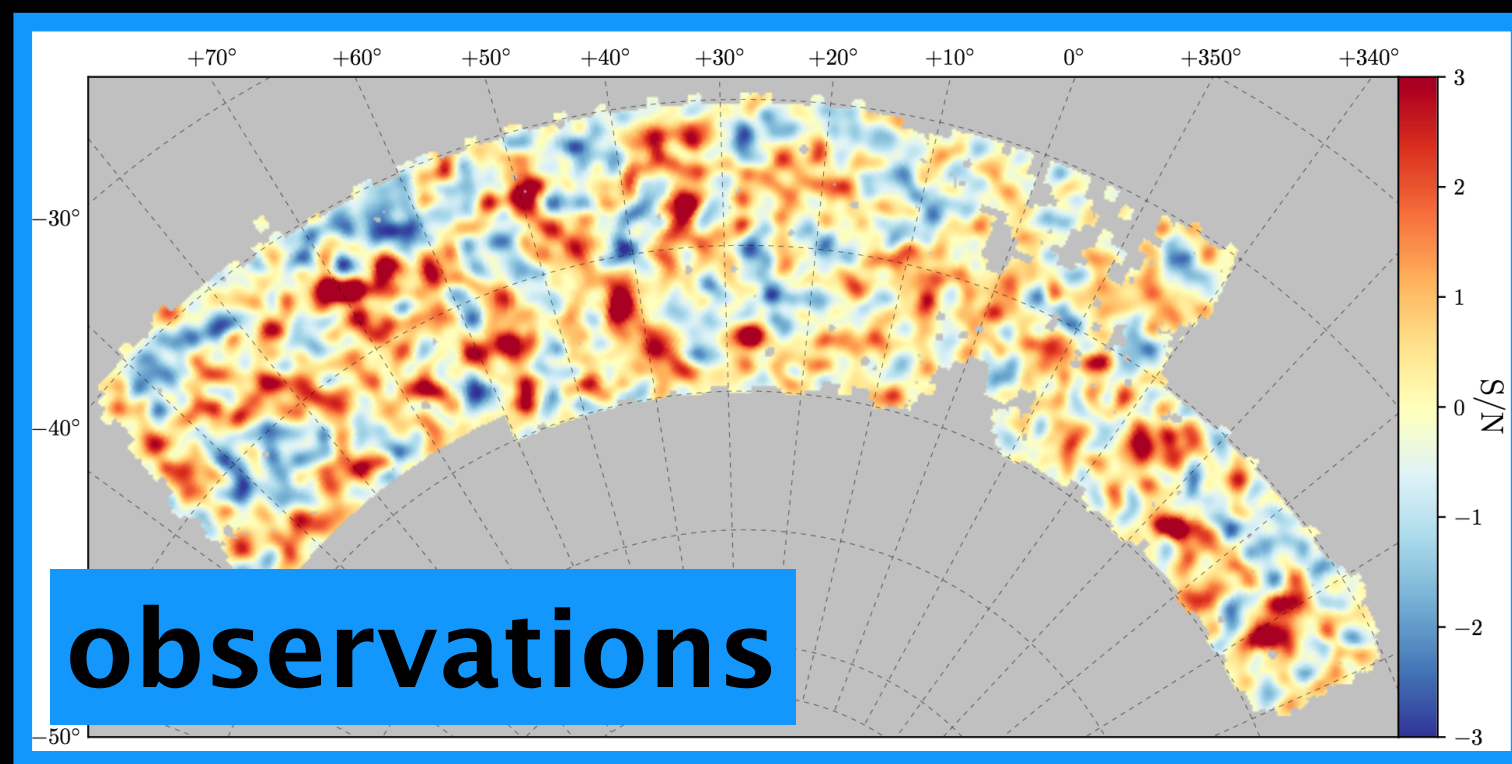


σ_8

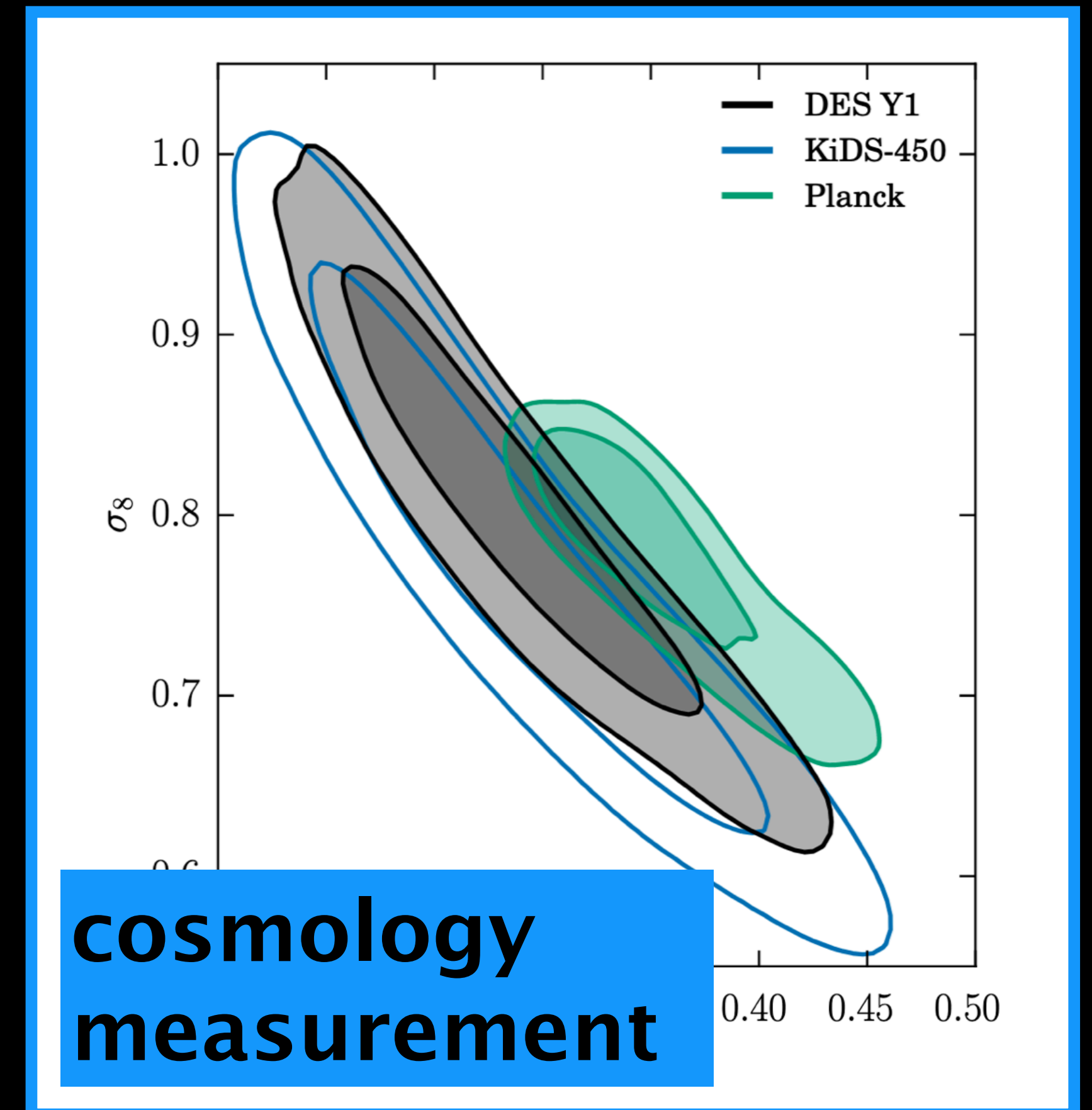


Ω_m

Inference with Deep Learning

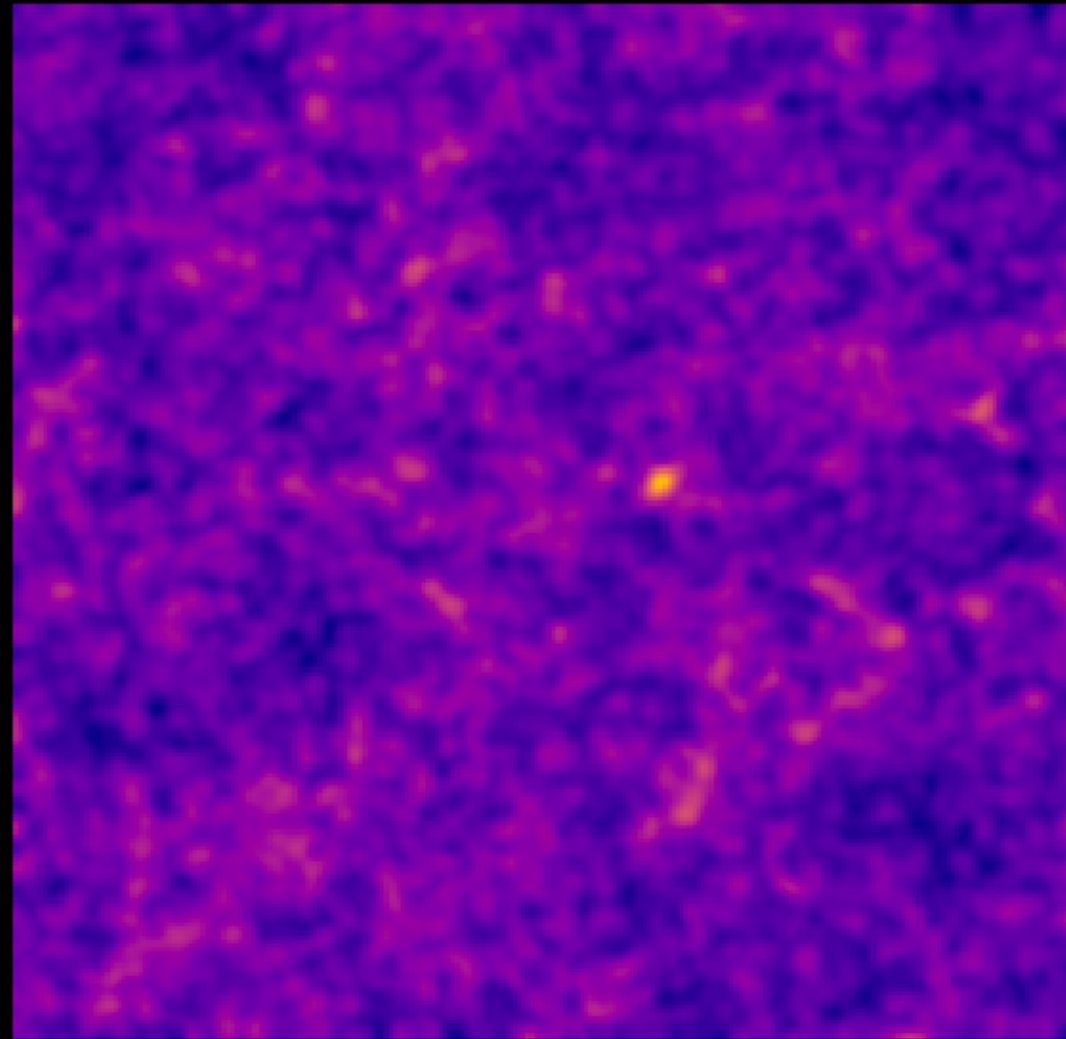


σ_8



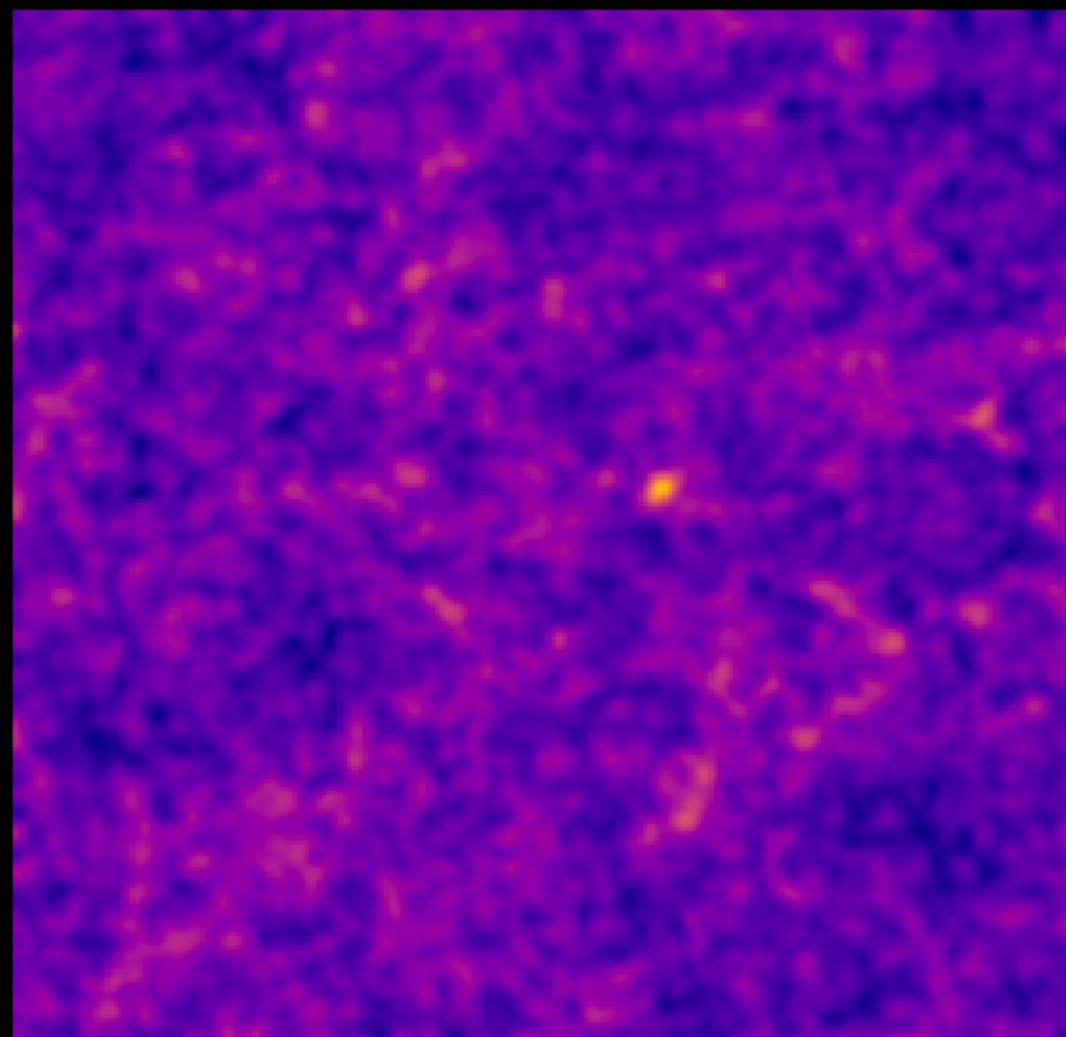
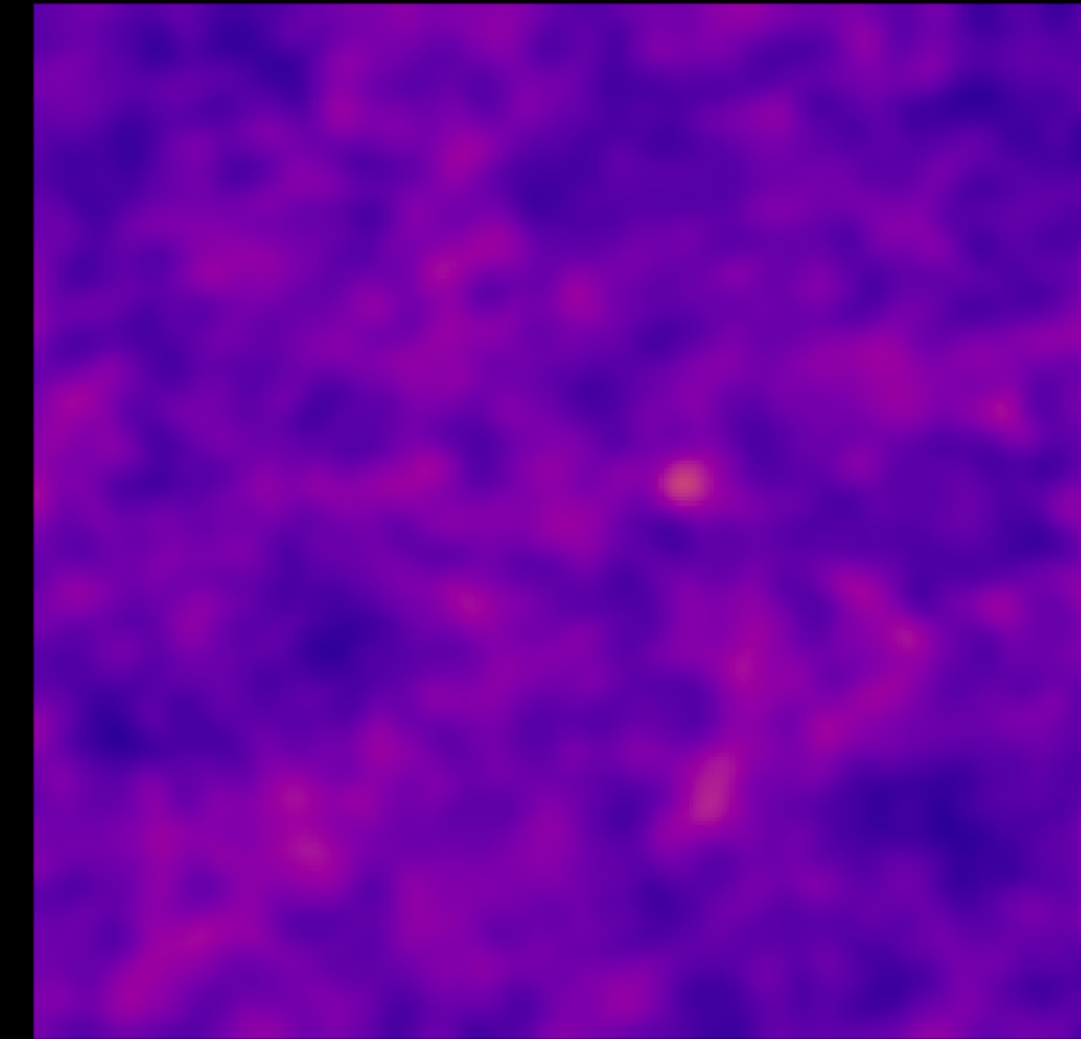
Ω_m

What is the advantage of deep learning for current and upcoming data?



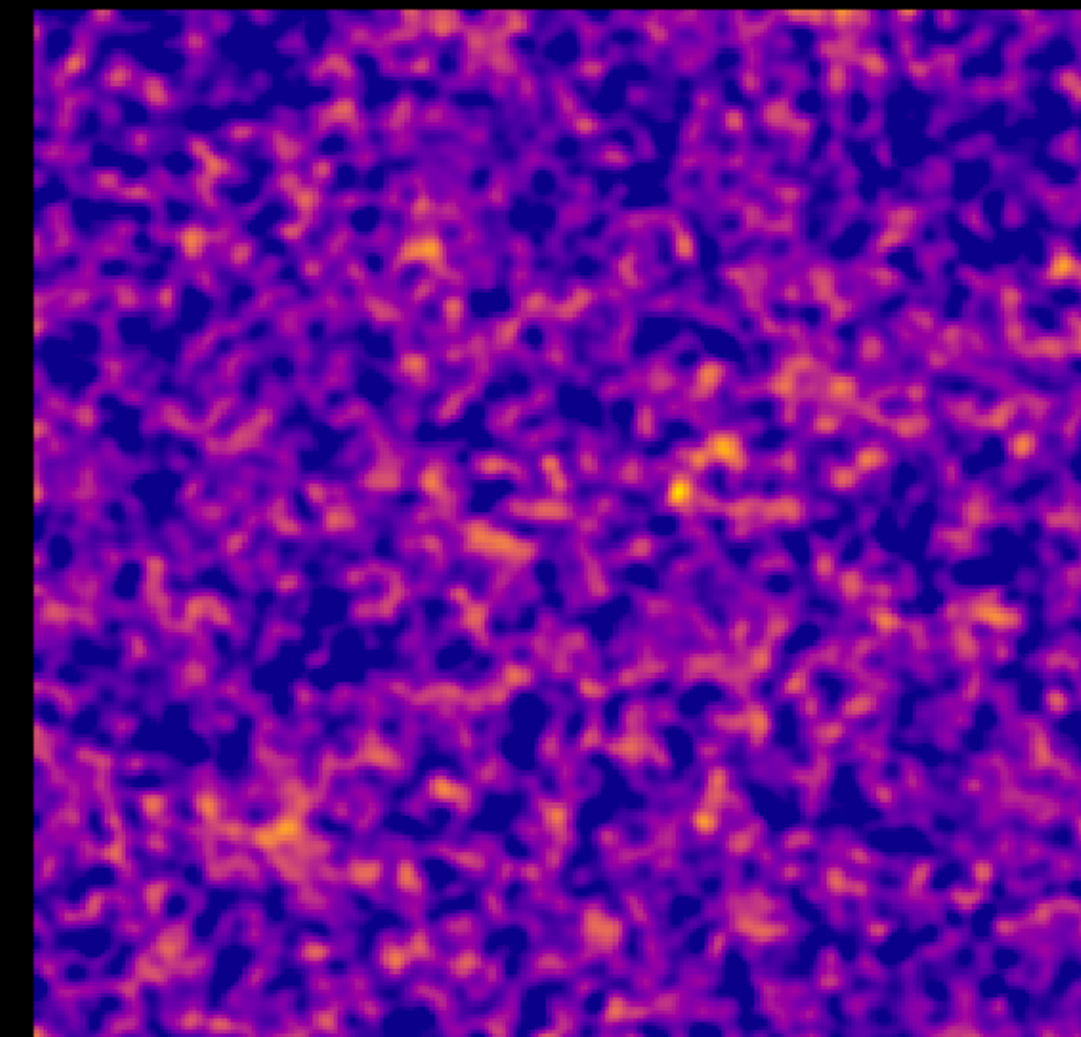
add smoothing →

quality of
simulations

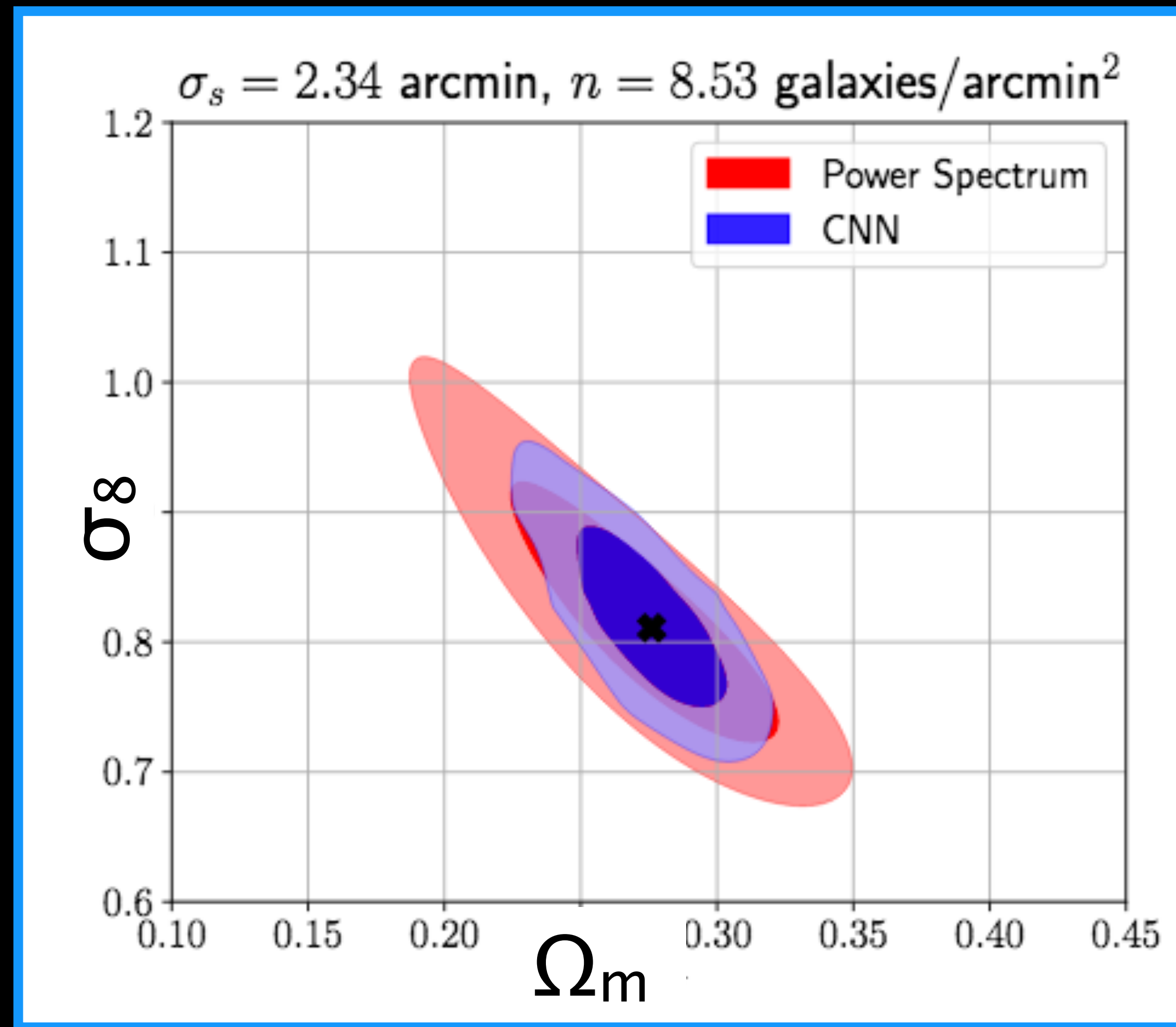


add noise →

quality of
observations



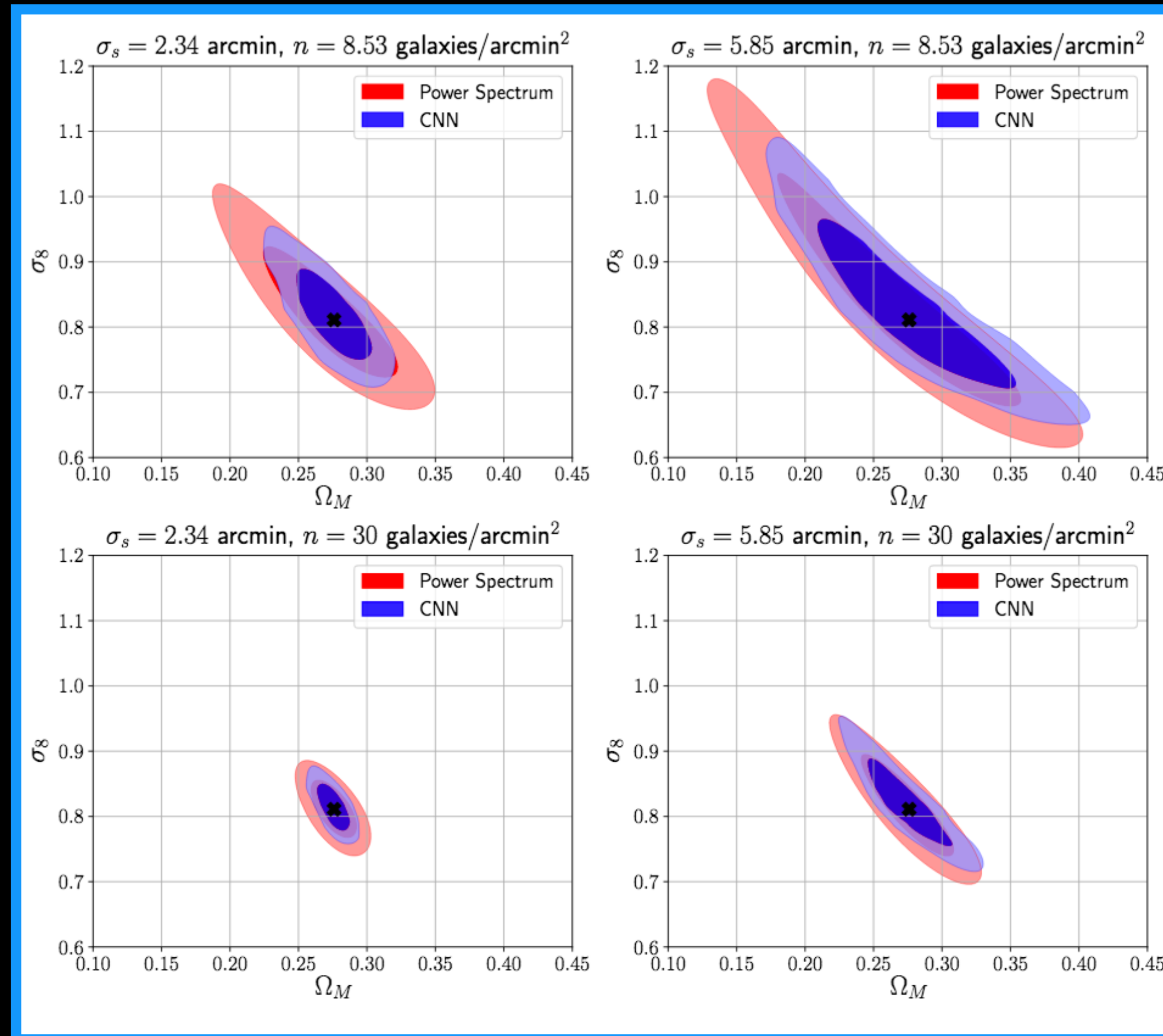
Deep learning captures more information



40% increase in constraining power!

Deep learning captures more information

increase noise →



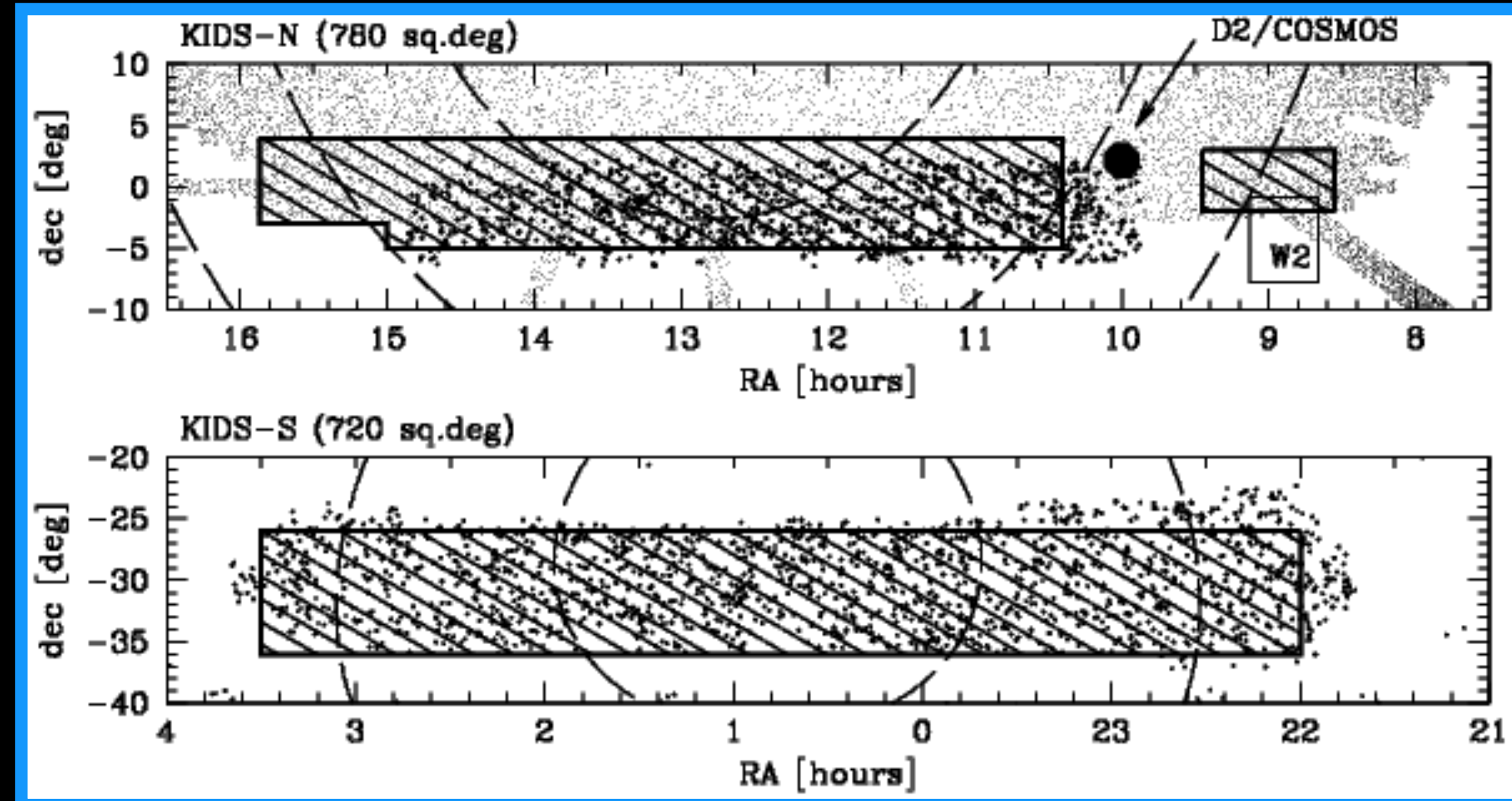
increase smoothing →

Gain in constraining power depends on noise level and smoothing scale

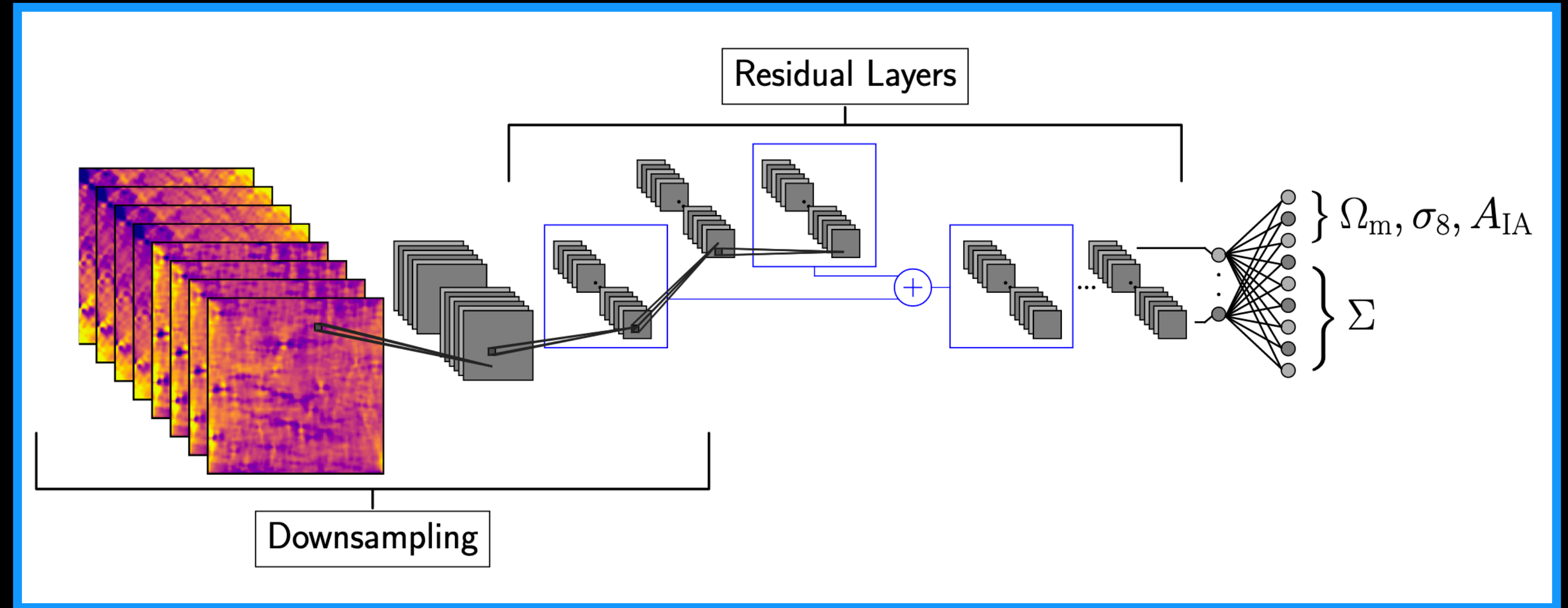
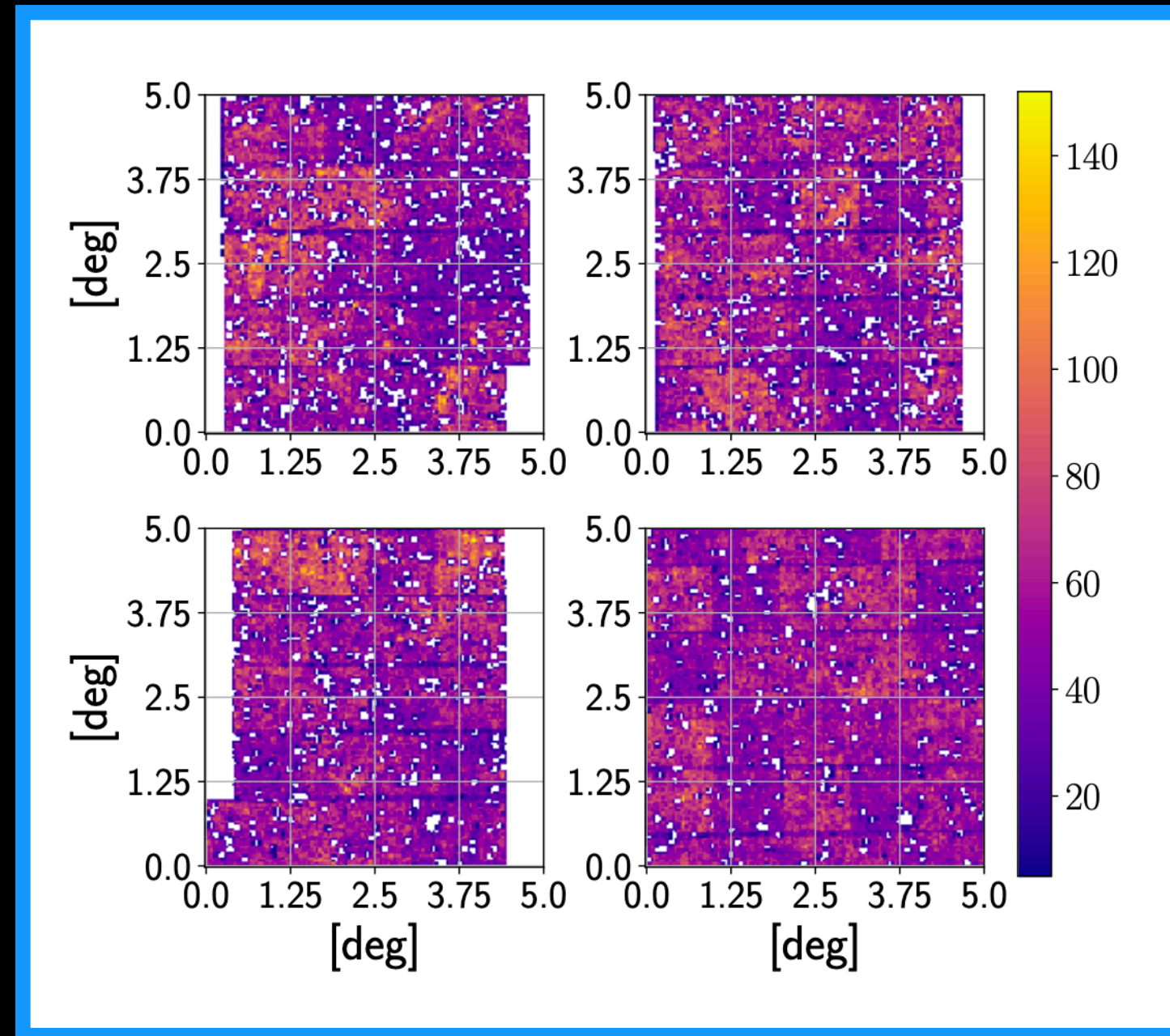
Fluri, TK, et al. 1807.08732

Analysis of KiDS-450 with deep learning

- Kilo-Degree Survey intermediate data set
- Using weak gravitational lensing to create the dark matter maps
- Low-noise dataset
- Taken by VLT Survey Telescope using OmegaCAM

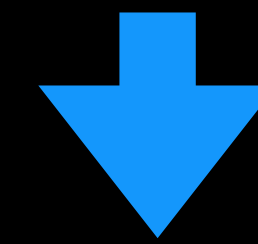


Analysis of KiDS-450 with deep learning



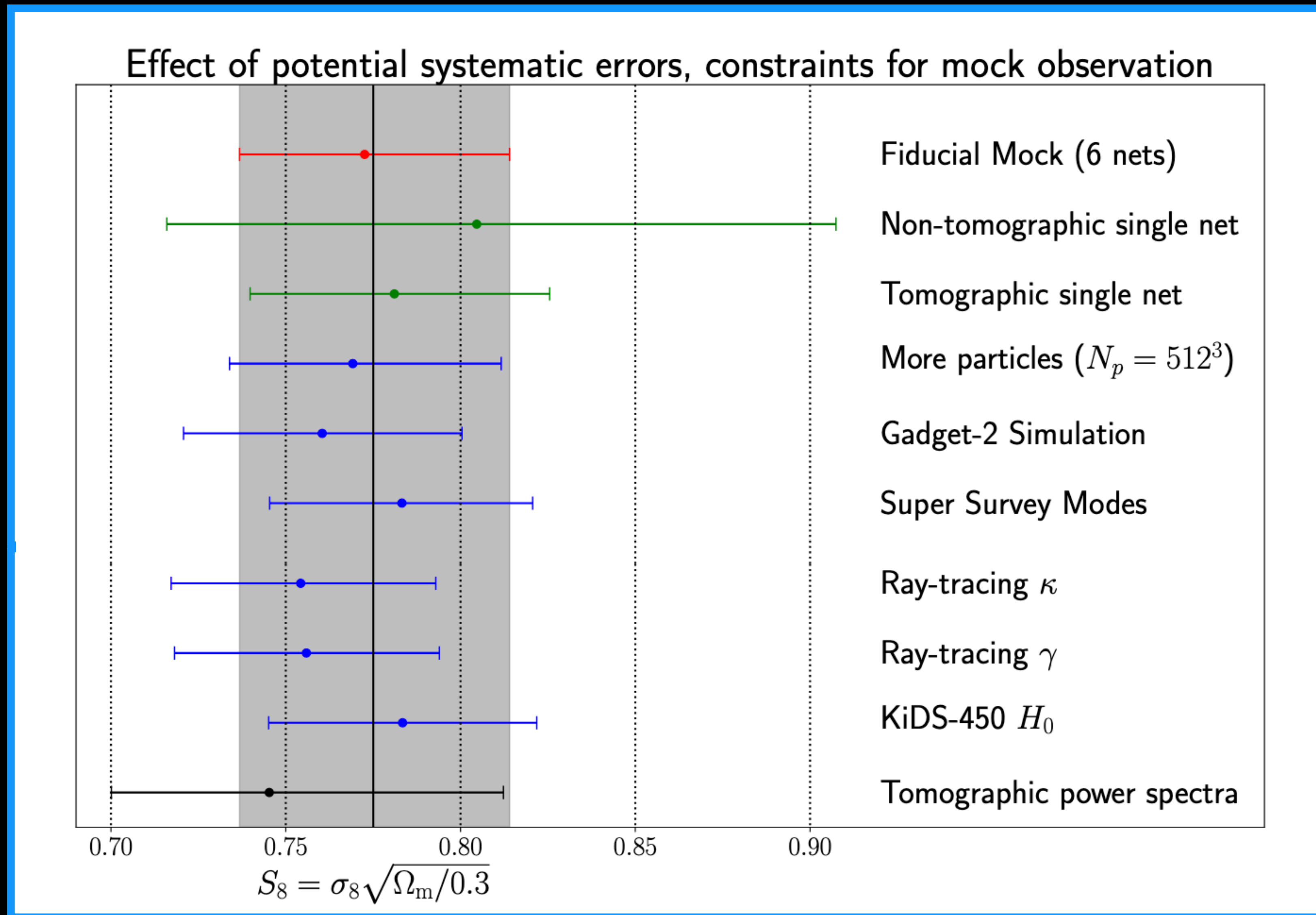
**data:
20 x 4
tomographic mass
maps**

network: 3 parameter output

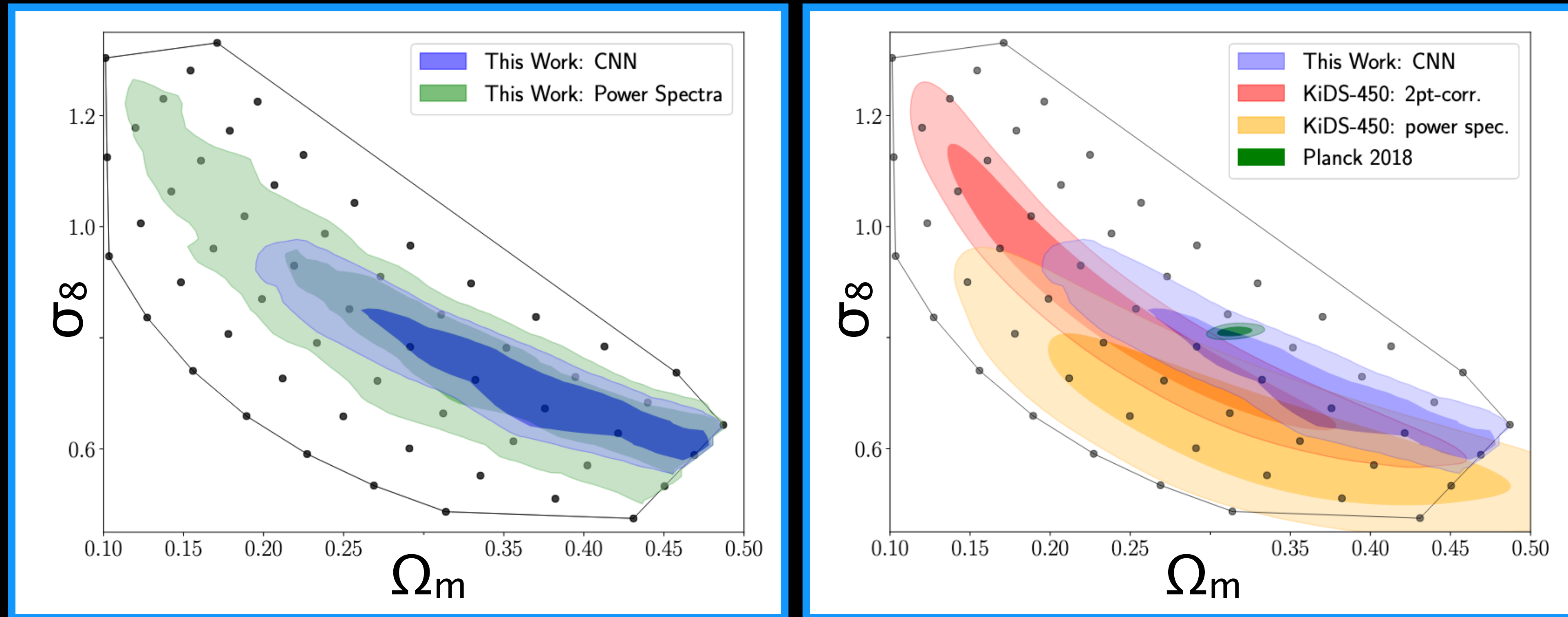


likelihood analysis

KiDS-450: robustness to simulation details



Analysis of KiDS-450 with deep learning

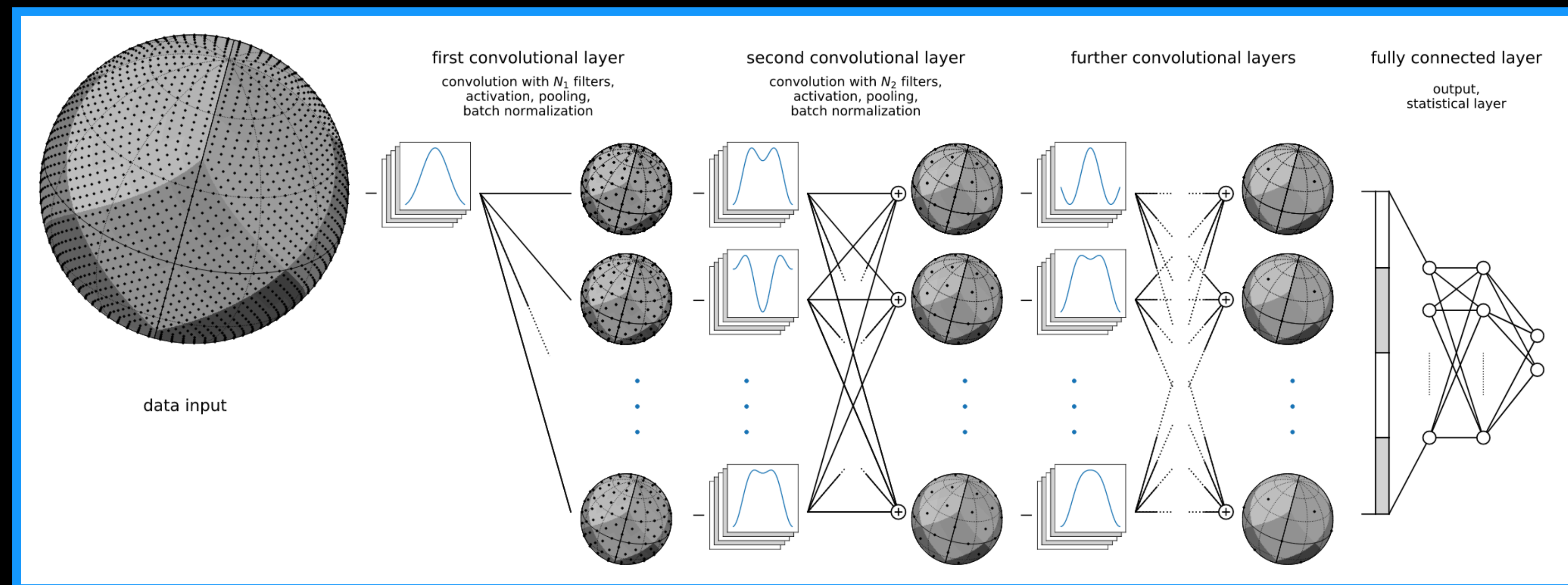
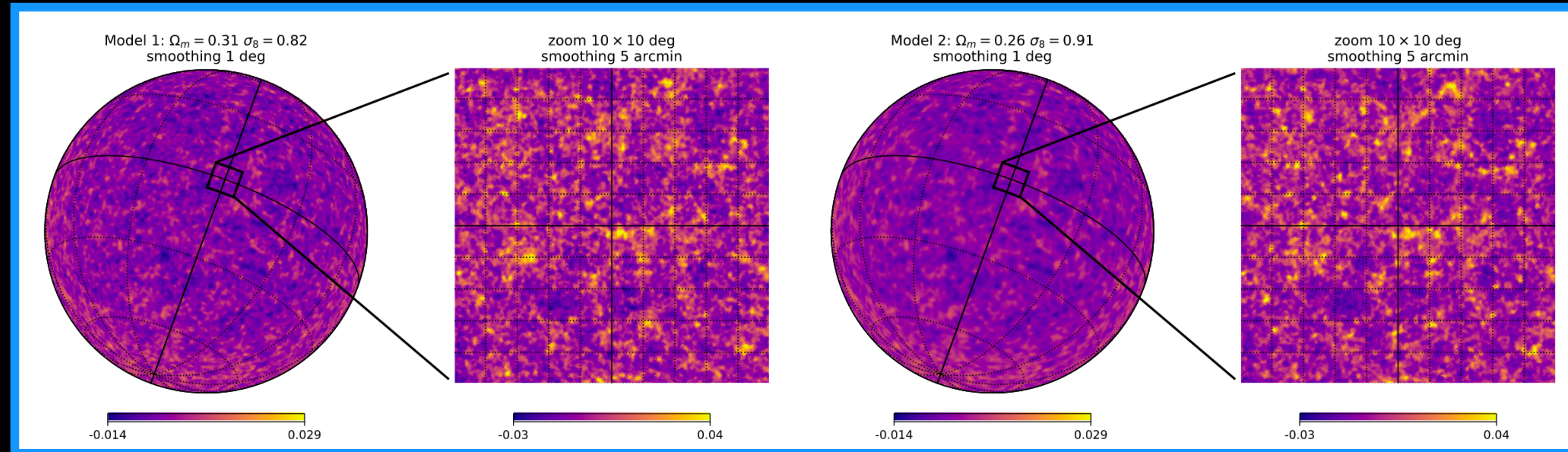


$$S_8 = \sigma_8(\Omega_m/0.3)^{0.5} = 0.777 \pm 0.037$$

30% increase of constraining power compared to equivalent analysis with the power spectra

blinding strategy used in the analysis

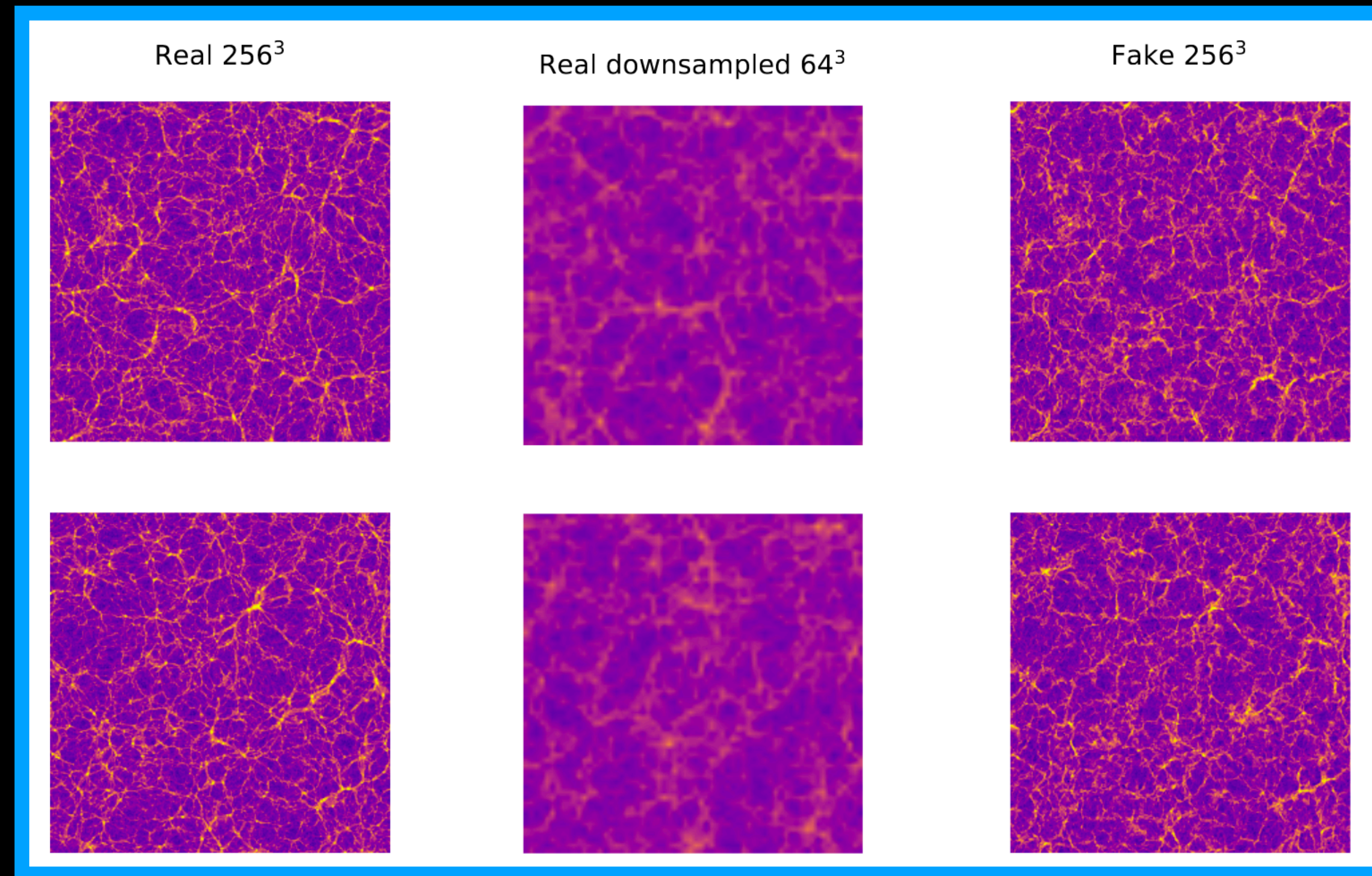
Deep learning on the sphere: a tool for wide area surveys



github.com/SwissDataScienceCenter/DeepSphere

Perraudin, TK, et al. 1810.12186

Experimenting with GANs for N-body simulations



256^3 voxel cubes

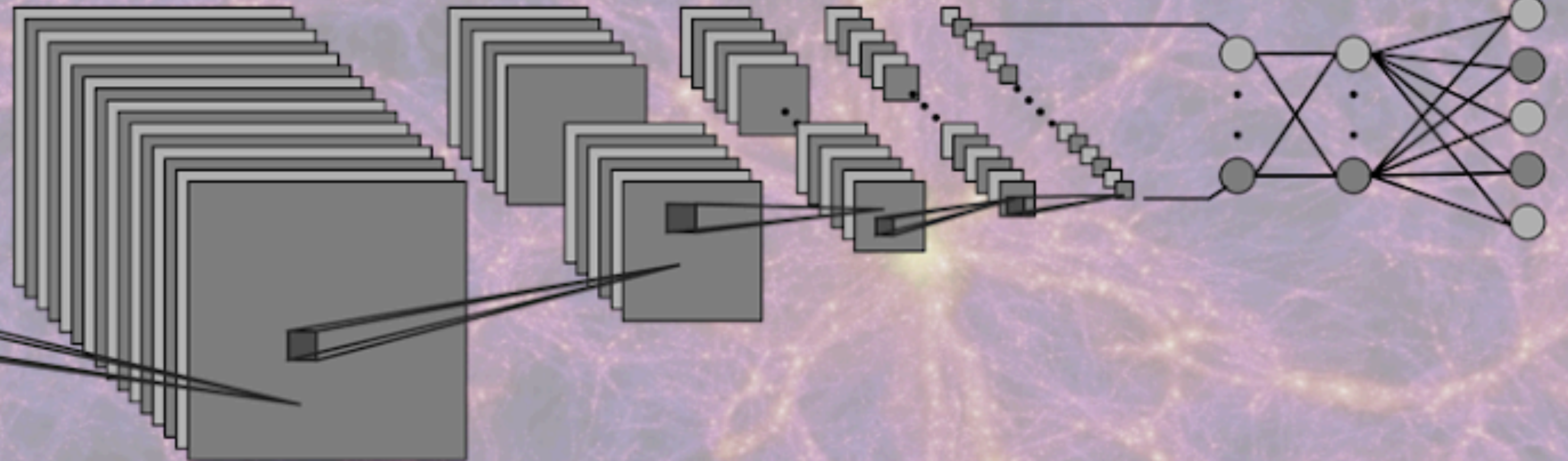
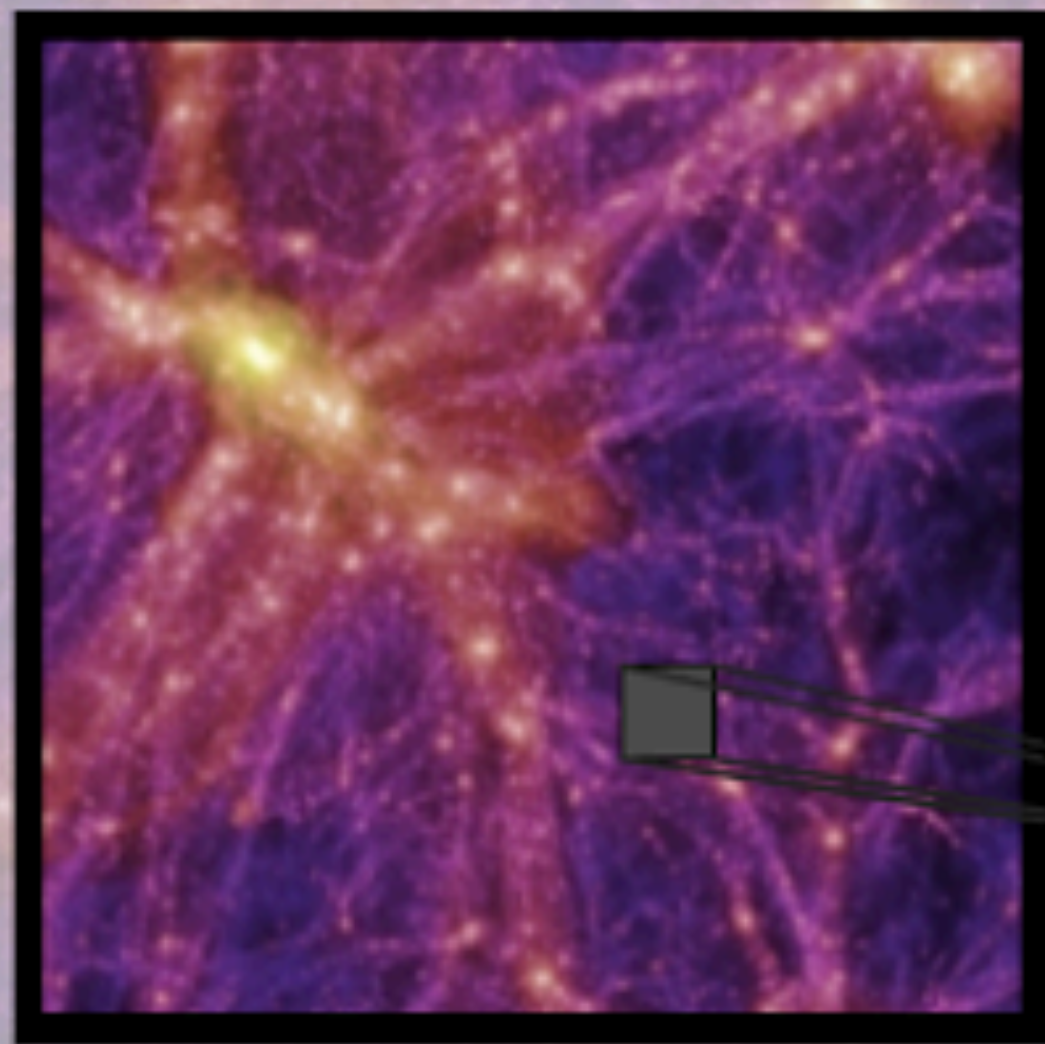
Sequential Patch-GAN approach for upsampling
Challenge: data and codes available → beat our score!

github.com/nperraud/3DcosmoGAN

Perraudin, TK, et al. 1908.05519

Summary

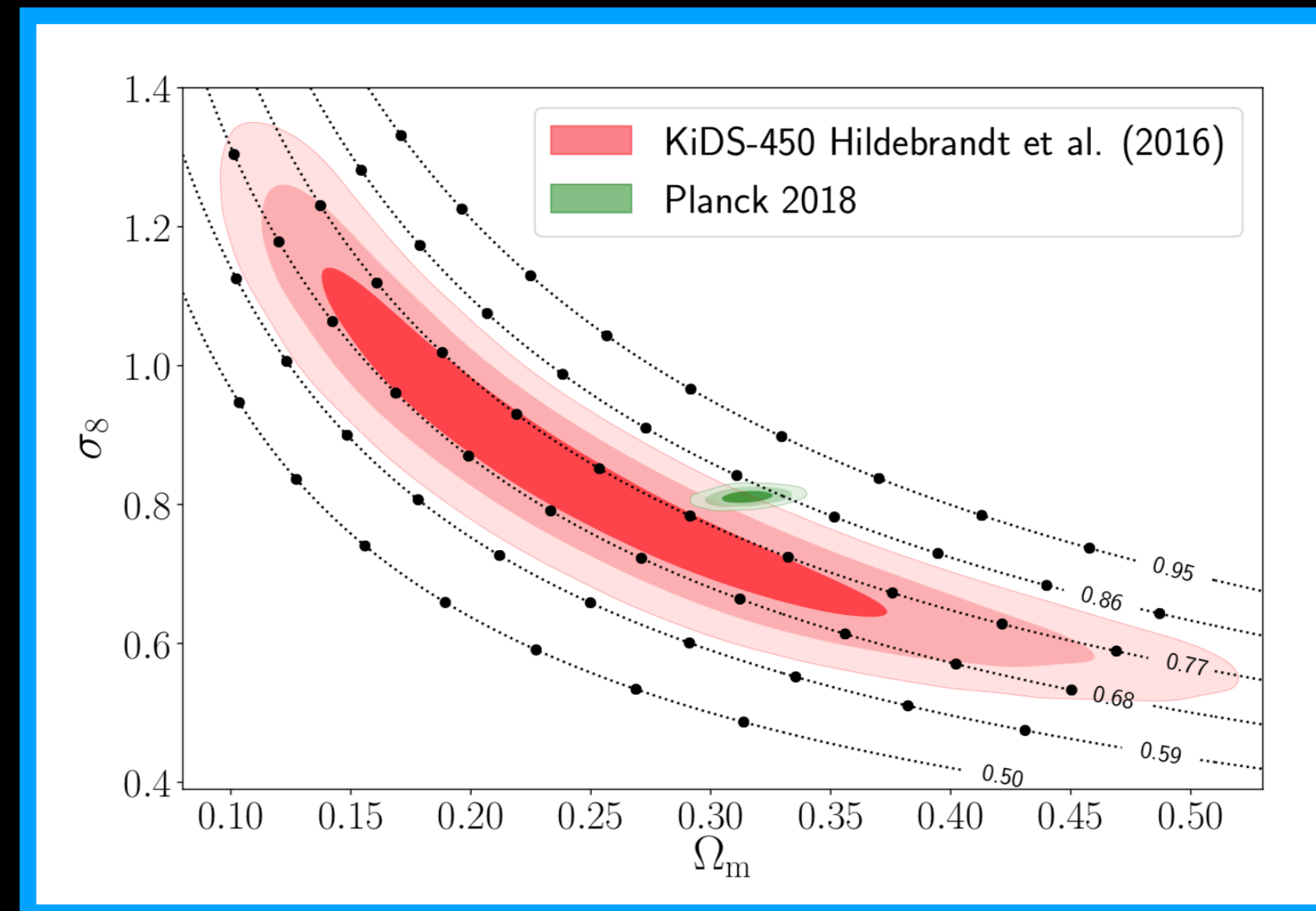
- Deep learning can improve the information gain from existing, non-linear cosmological data
- Moving towards simulation-based inference
- Currently limited by theory modelling and simulations



Extra slides

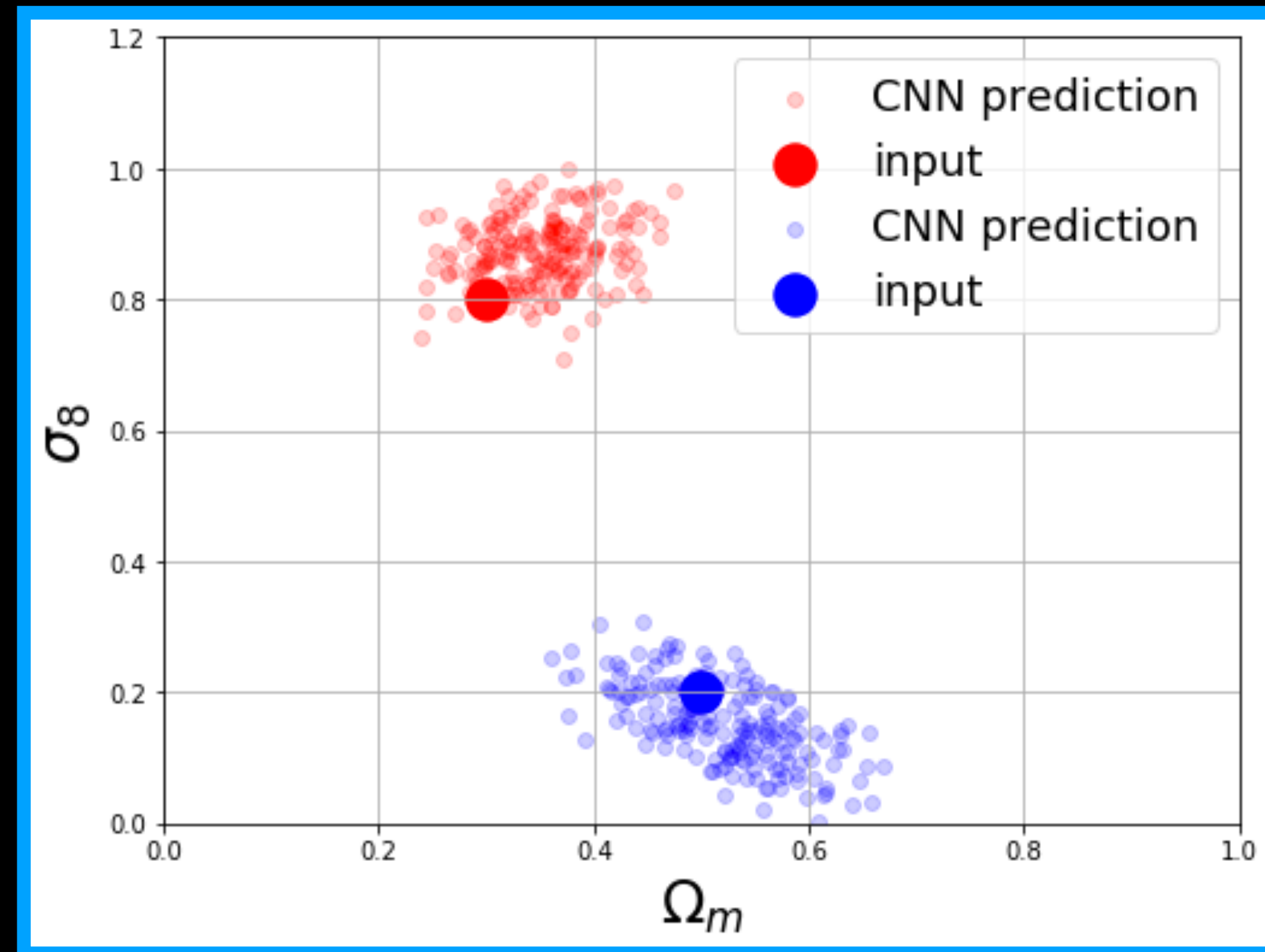
Simulations

- Very heavy simulation load
- PkdGrav3 on GPUs
- 90% of time for simulations, 10% for CNN training
- 57 cosmologies x 12 N-body simulations, convergence and IA map creation
- Inclusion of effects: baryons, advanced intrinsic alignment models



Likelihood modelling

- CNN is a feature extractor
- we create likelihood of features given true value
- we model the likelihood as a Gaussian with mean and covariance varying as a function of cosmological parameters
- we calculate the posterior with a prior across the spaces spanned by the training set



Training details

- ResNets with 10, 15 and 25 layers
- On the fly noise addition
- Likelihood loss used in training

$$L = \frac{1}{2} \left(\ln(|\Sigma|) + (\theta_p - \theta_t)^T \Sigma^{-1} (\theta_p - \theta_t) \right),$$

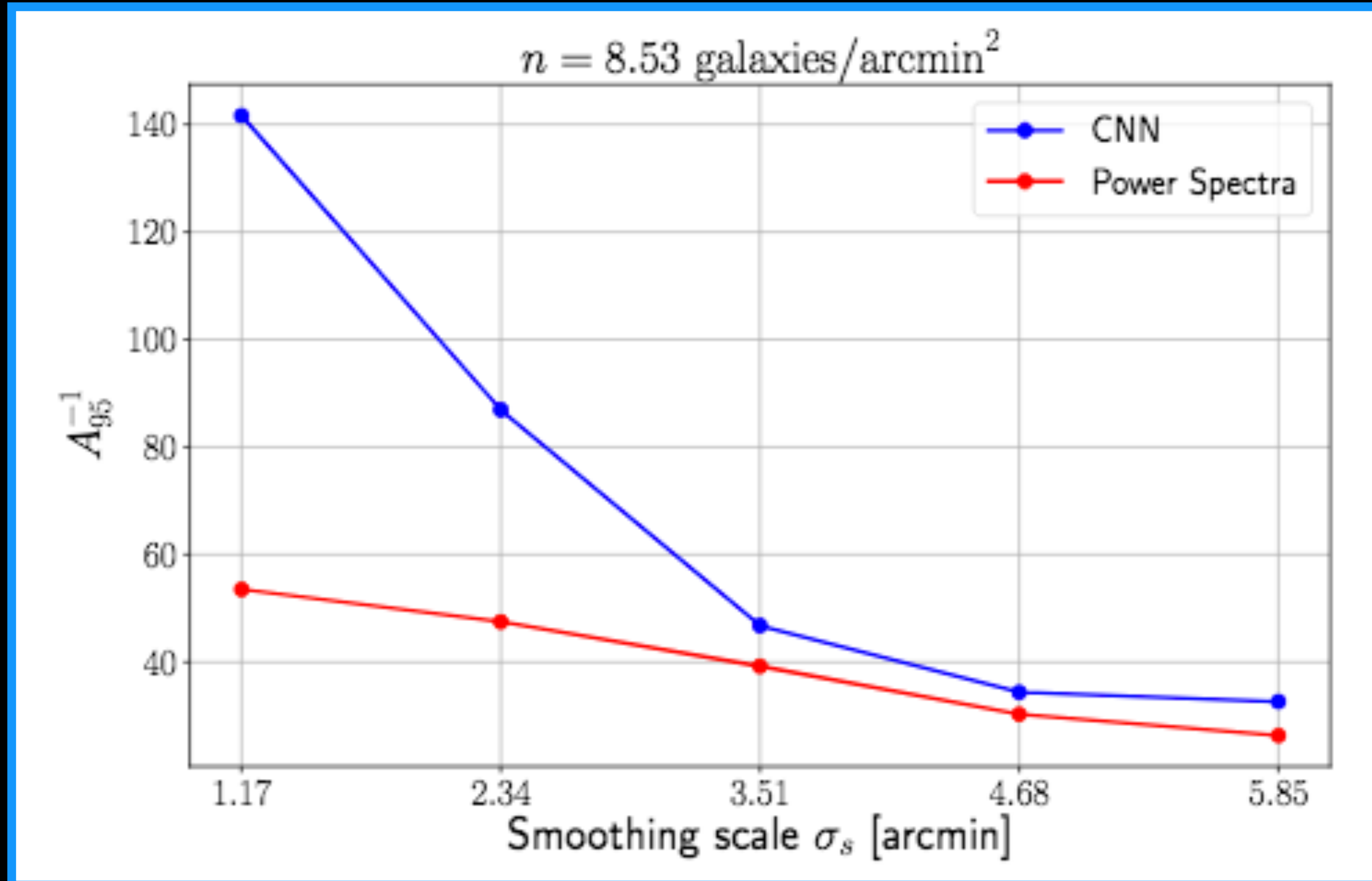
Σ prediction of covariance matrix
learned by the network (6 parameters)

θ_p predicted parameters (3)

θ_t target parameter (3)

Deep learning captures more information

inverse contour area
← worse better →

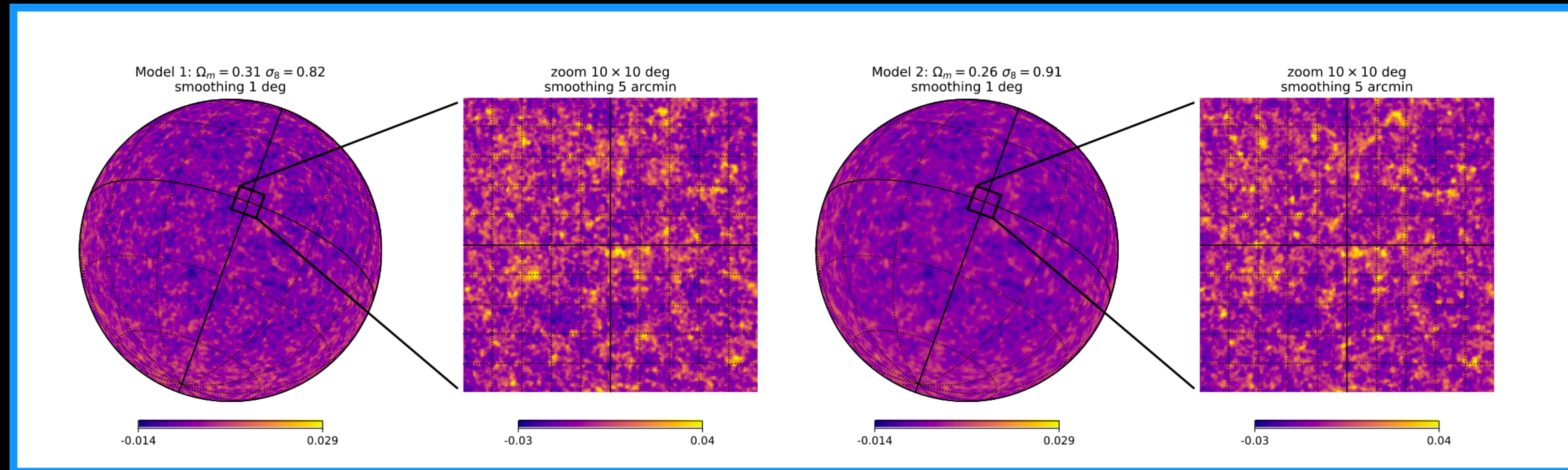


← smoothing scale →

Deep learning on the sphere

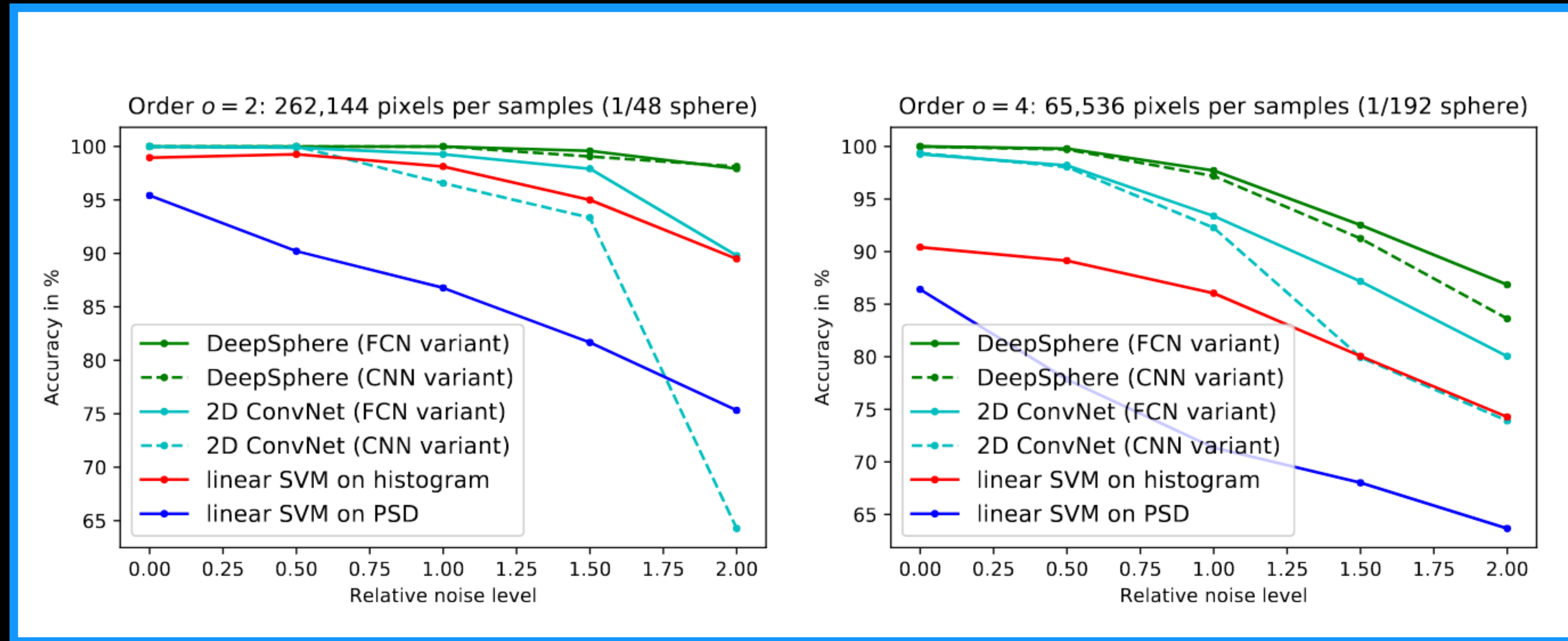
$\sigma_8=0.82, \Omega_m=0.31$

$\sigma_8=0.91, \Omega_m=0.26$



two models with the same power spectrum

Deep learning on the sphere



DeepSphere maintains advantage over baselines for higher noise levels

github.com/SwissDataScienceCenter/DeepSphere