

# Machine learning for Quantum Control

## Quantum Cartpole

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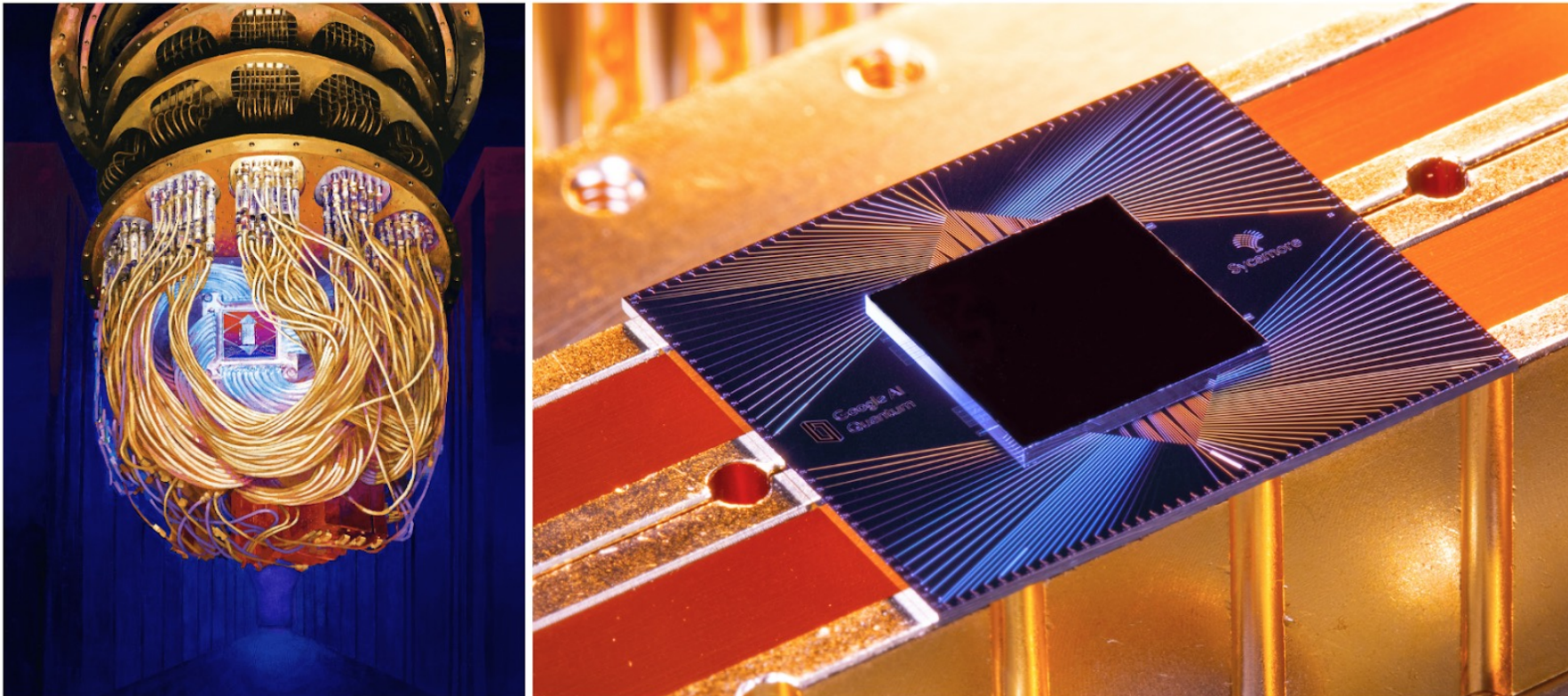
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# Quantum Control

Quantum Control is necessary for Quantum computing, NISQ, Quantum memory!



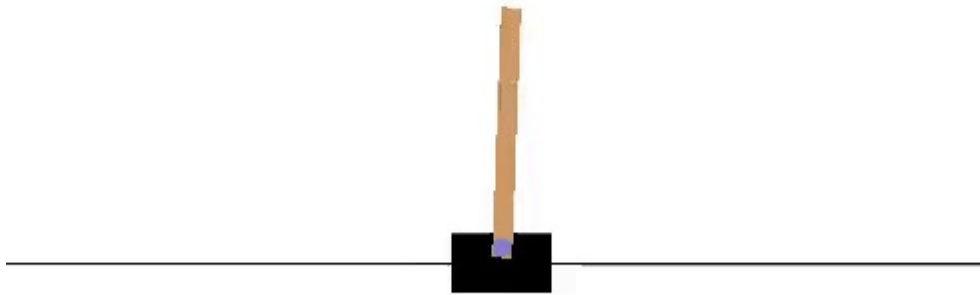
Google AI Blog

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# Cartpole

Classical



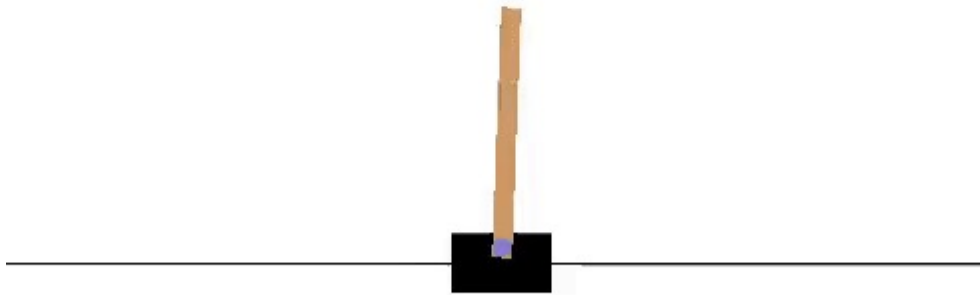
OpenAI

Quantum Cartpole

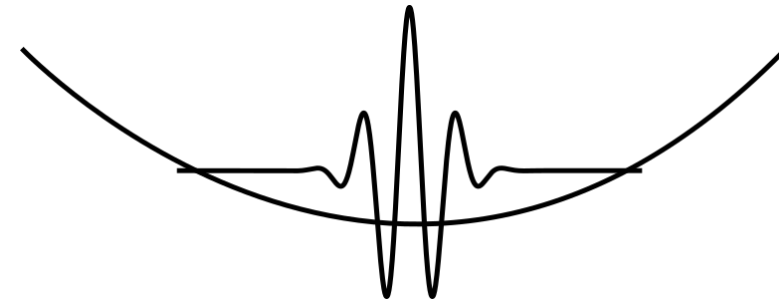
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# Quantum Cartpole

Classical



Quantum



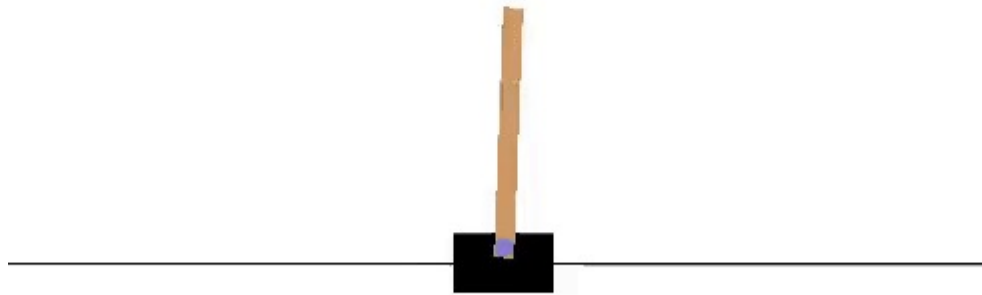
OpenAI

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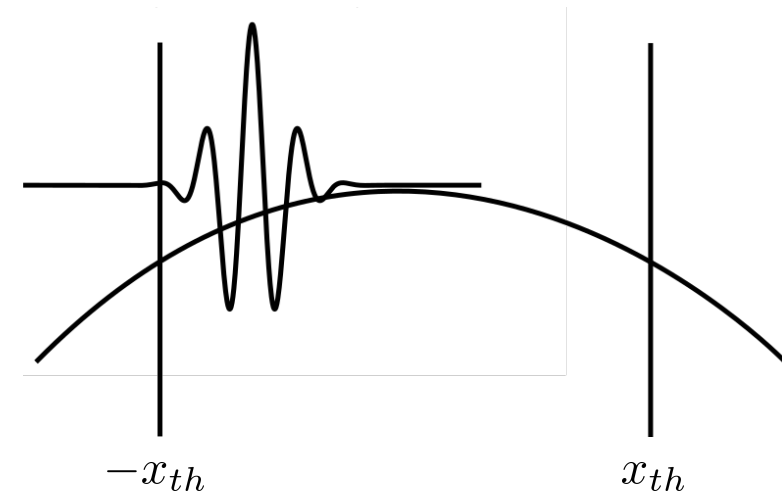
# Quantum Cartpole

Classical



OpenAI

Quantum



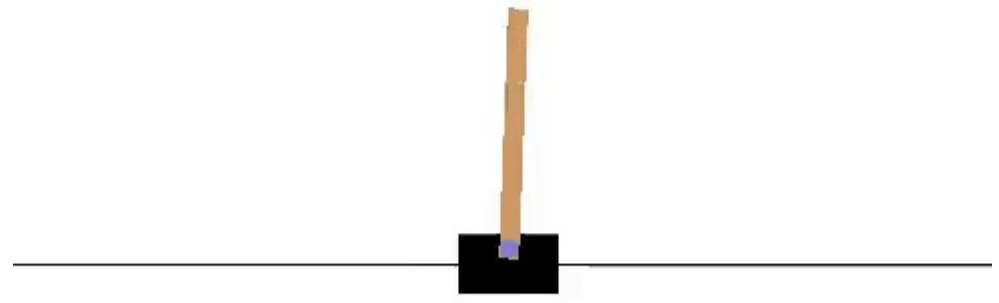
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# Quantum Cartpole

Classical

Quantum



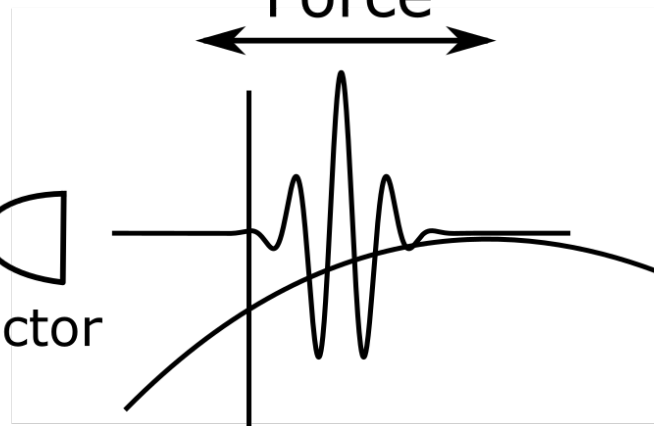
Agent



Force



Detector



OpenAI

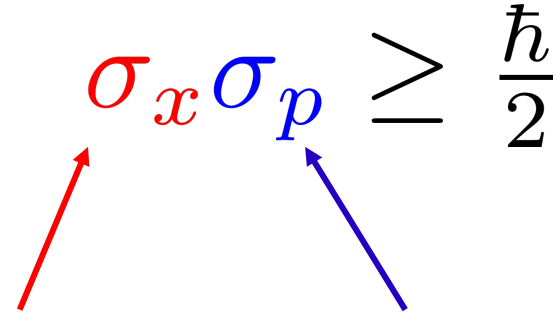
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# Quantum Measurement

## Heisenberg Uncertainty Principle

$$\sigma_x \sigma_p \geq \frac{\hbar}{2}$$
A diagram illustrating the Heisenberg Uncertainty Principle. The equation  $\sigma_x \sigma_p \geq \frac{\hbar}{2}$  is centered. A red arrow points from the text 'uncertainty position measurement' below to the  $\sigma_x$  term in the equation. A blue arrow points from the text 'uncertainty momentum measurement' below to the  $\sigma_p$  term in the equation.

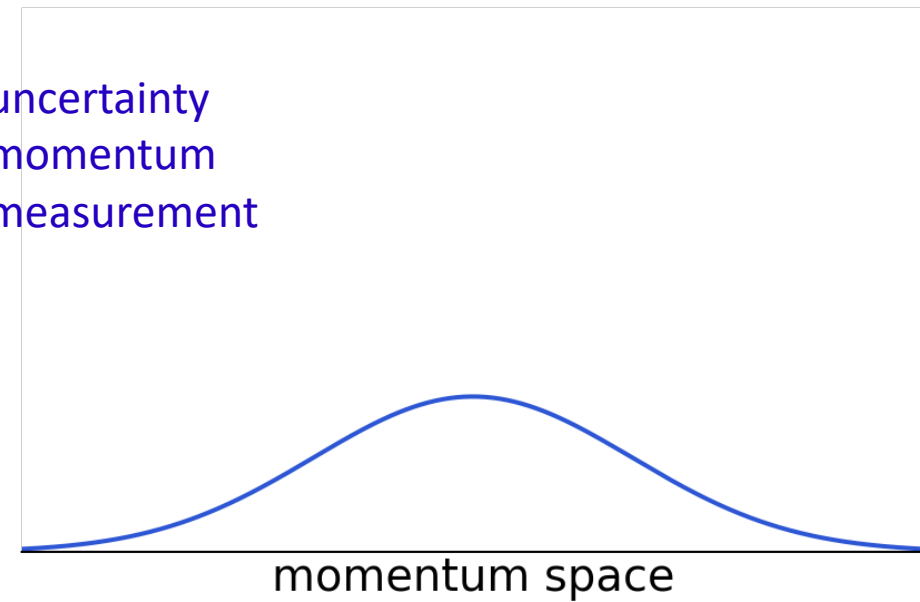
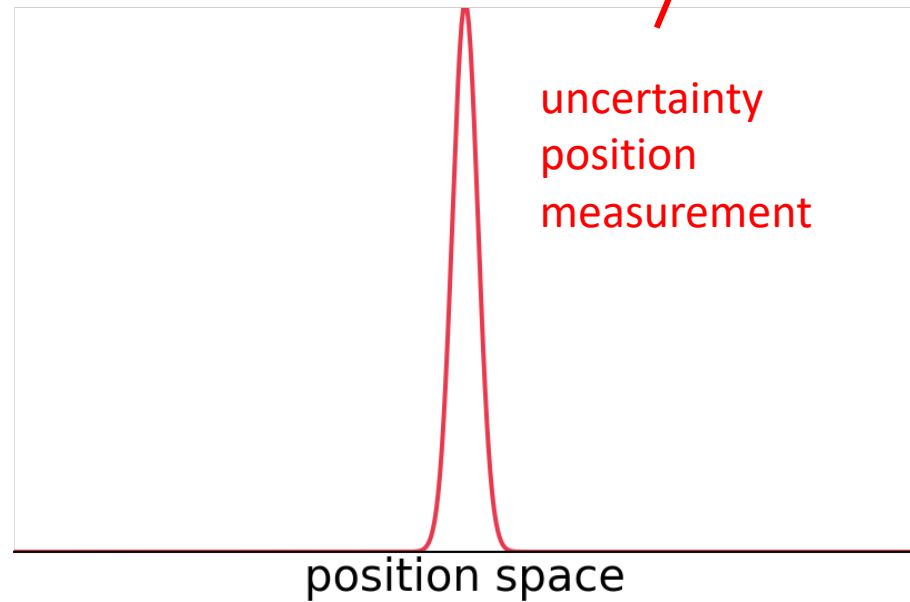
uncertainty  
position  
measurement

uncertainty  
momentum  
measurement

# Quantum Measurement

## Heisenberg Uncertainty Principle

$$\sigma_x \sigma_p \geq \frac{\hbar}{2}$$

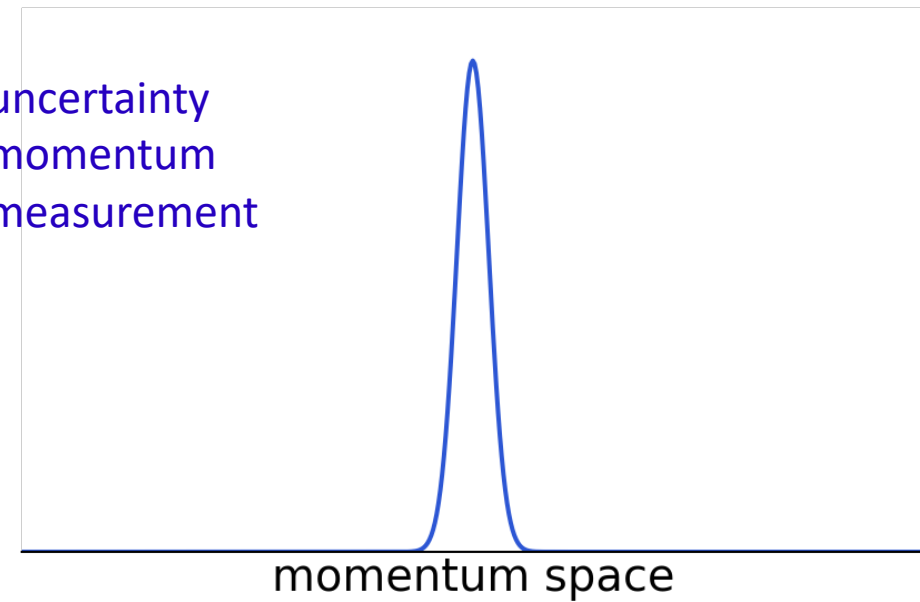
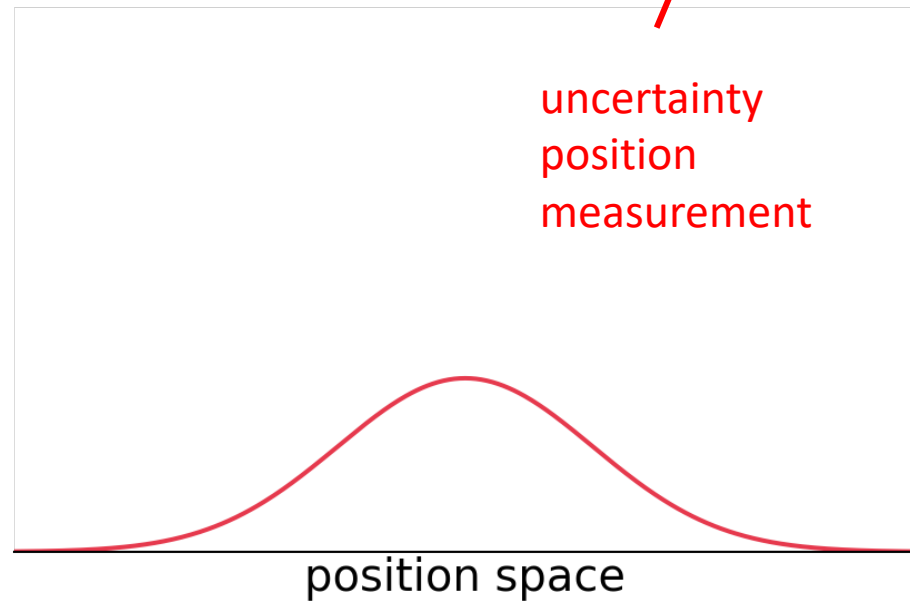




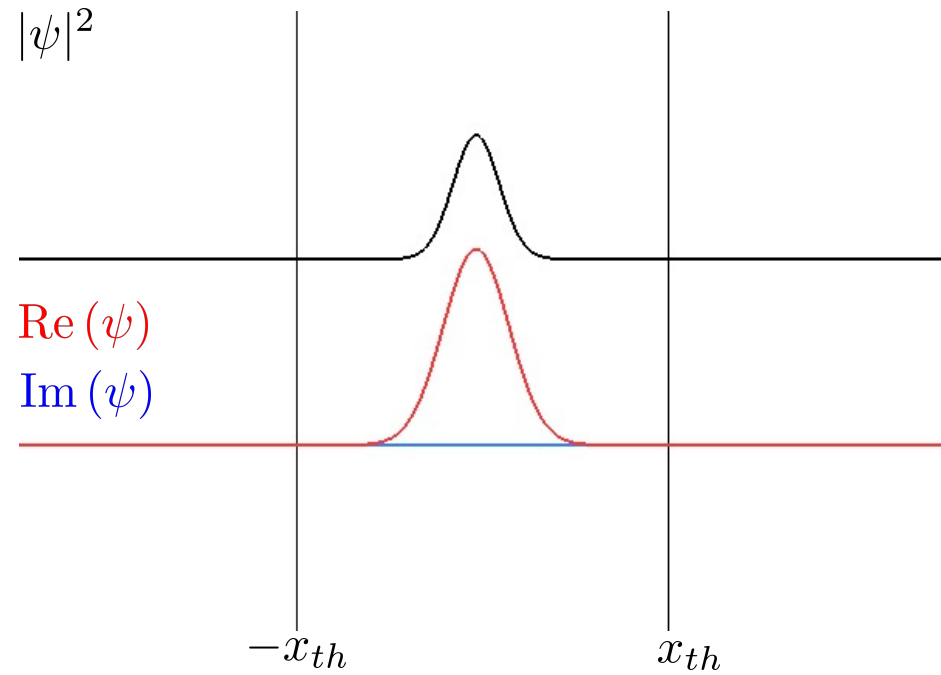
# Quantum Measurement

## Heisenberg Uncertainty Principle

$$\sigma_x \sigma_p \geq \frac{\hbar}{2}$$

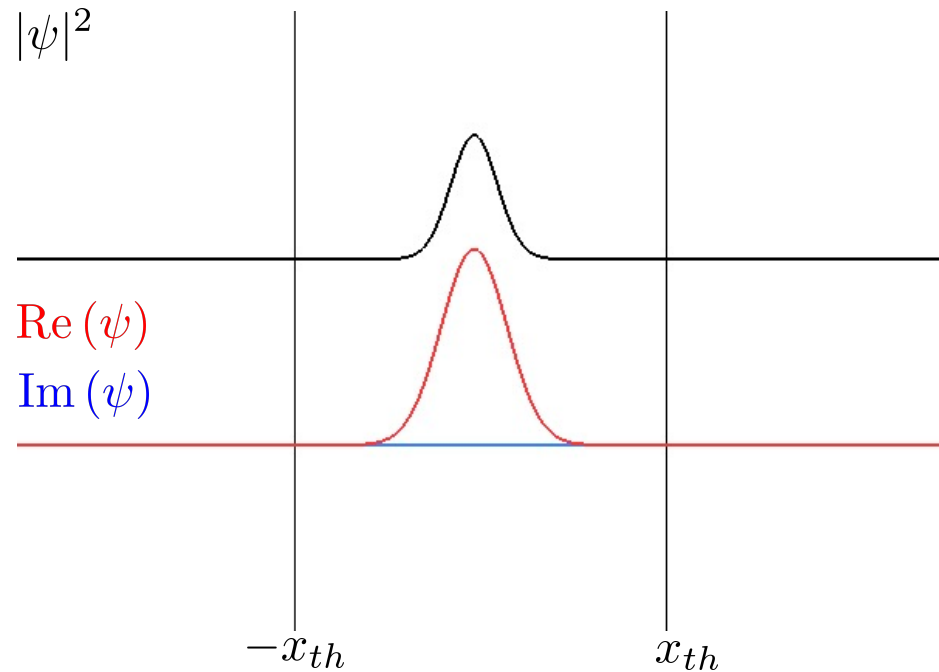


# Weak Measurements



delocalizes with time

# Weak Measurements



delocalizes with time

**Weak measurement:**

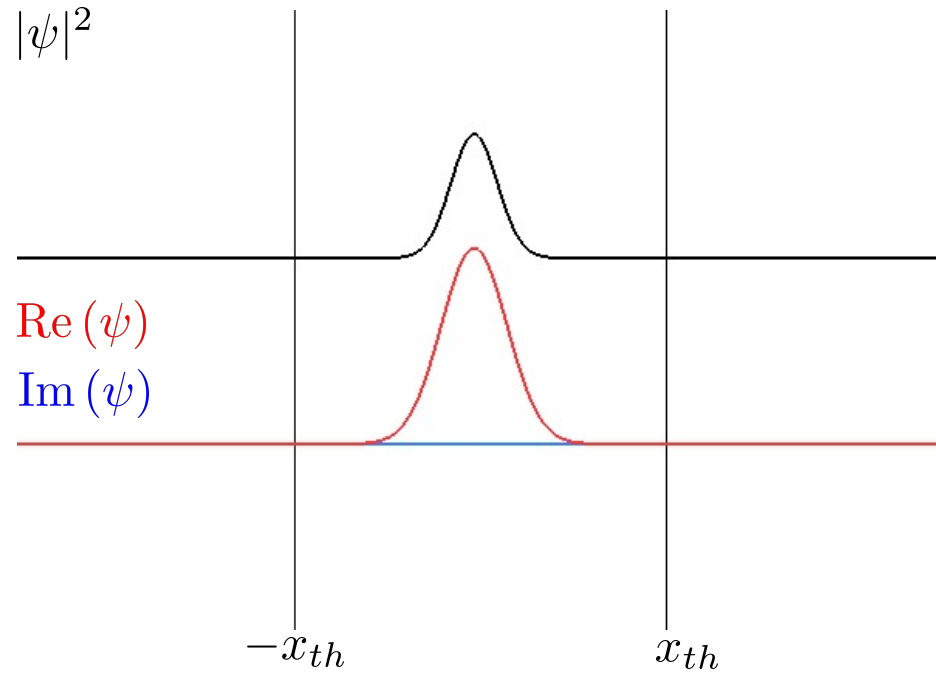
$$|\Psi\rangle = |\psi\rangle_{system} \otimes |\phi\rangle_{ancilla}$$

$$U = e^{-i\lambda x_{system} \otimes p_{ancilla} dt}$$

Found Phys **47**, 697-707 (2017)

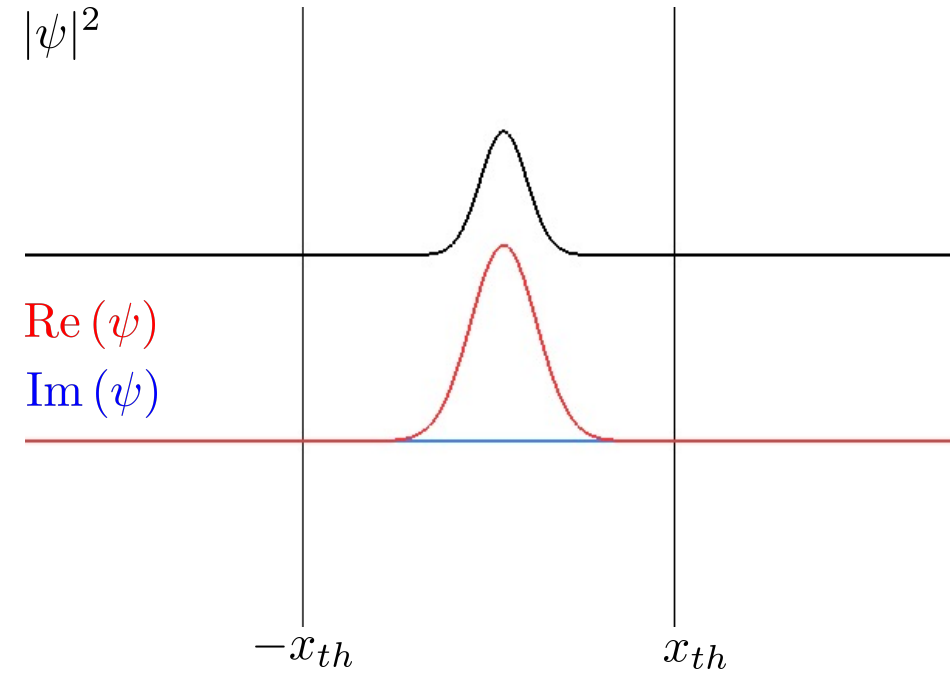
# Weak Measurements

No measurement



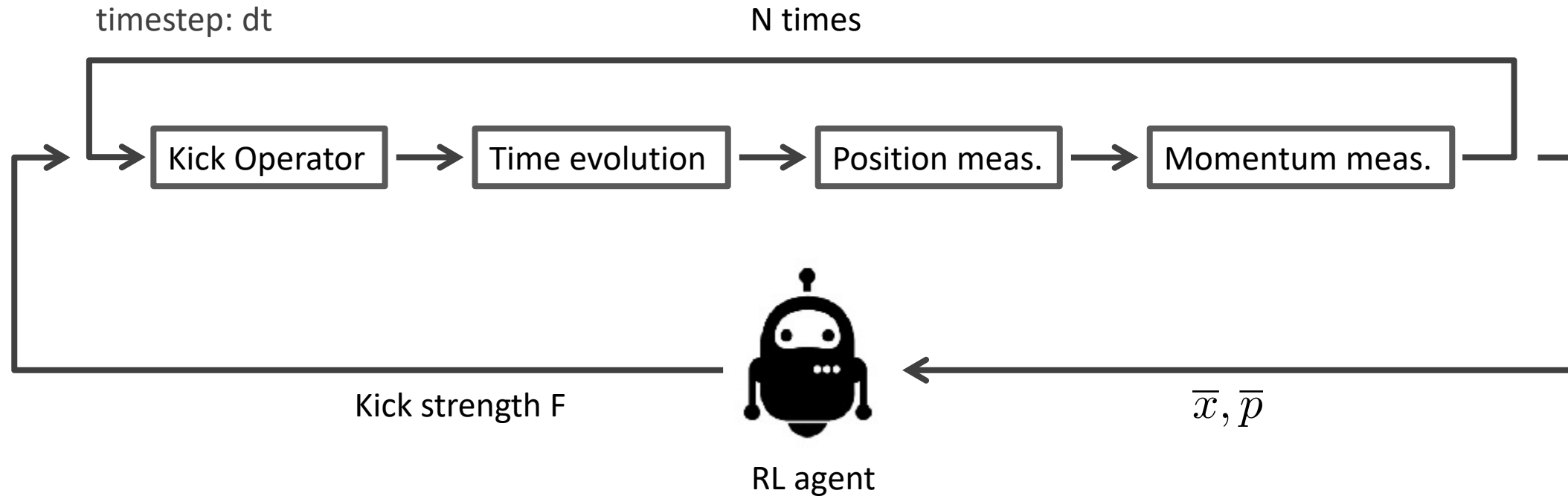
delocalizes with time

**Weak** measurement

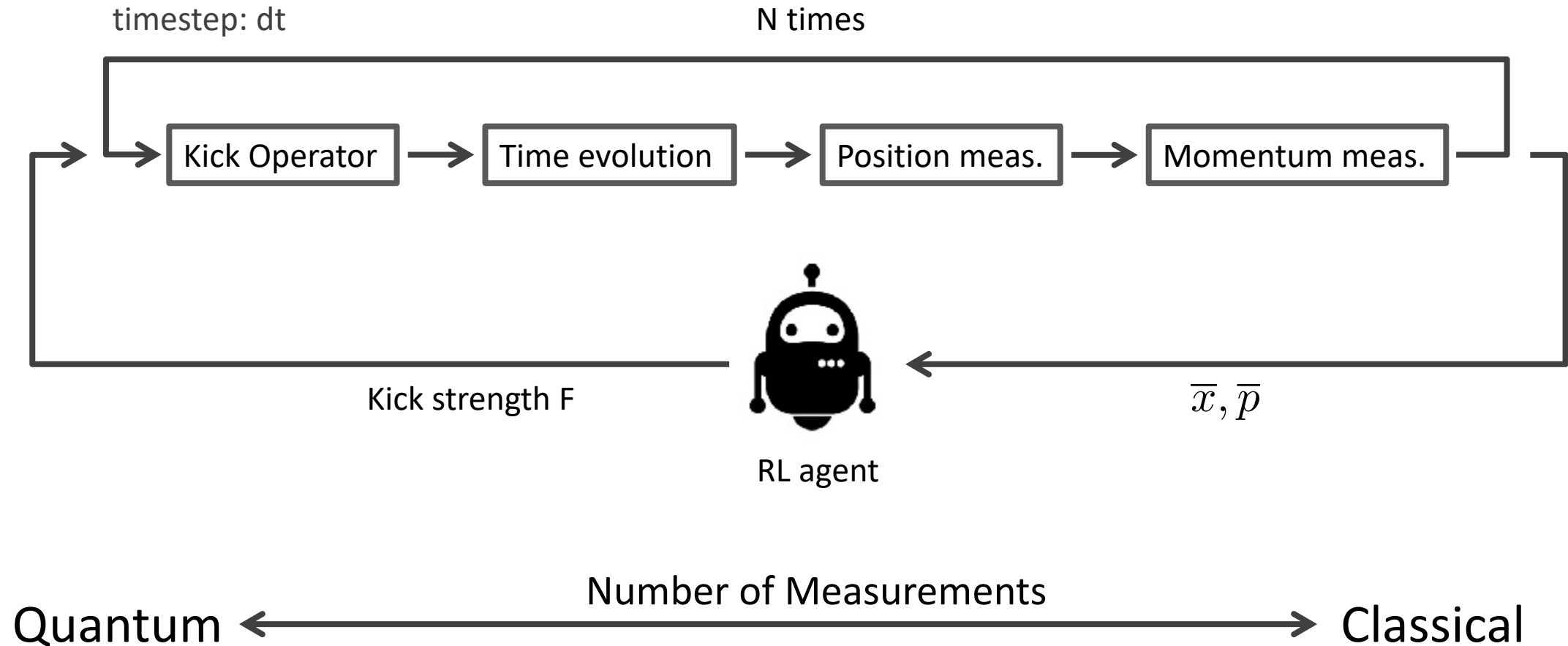


keeps a constant width  
drops out of bounds

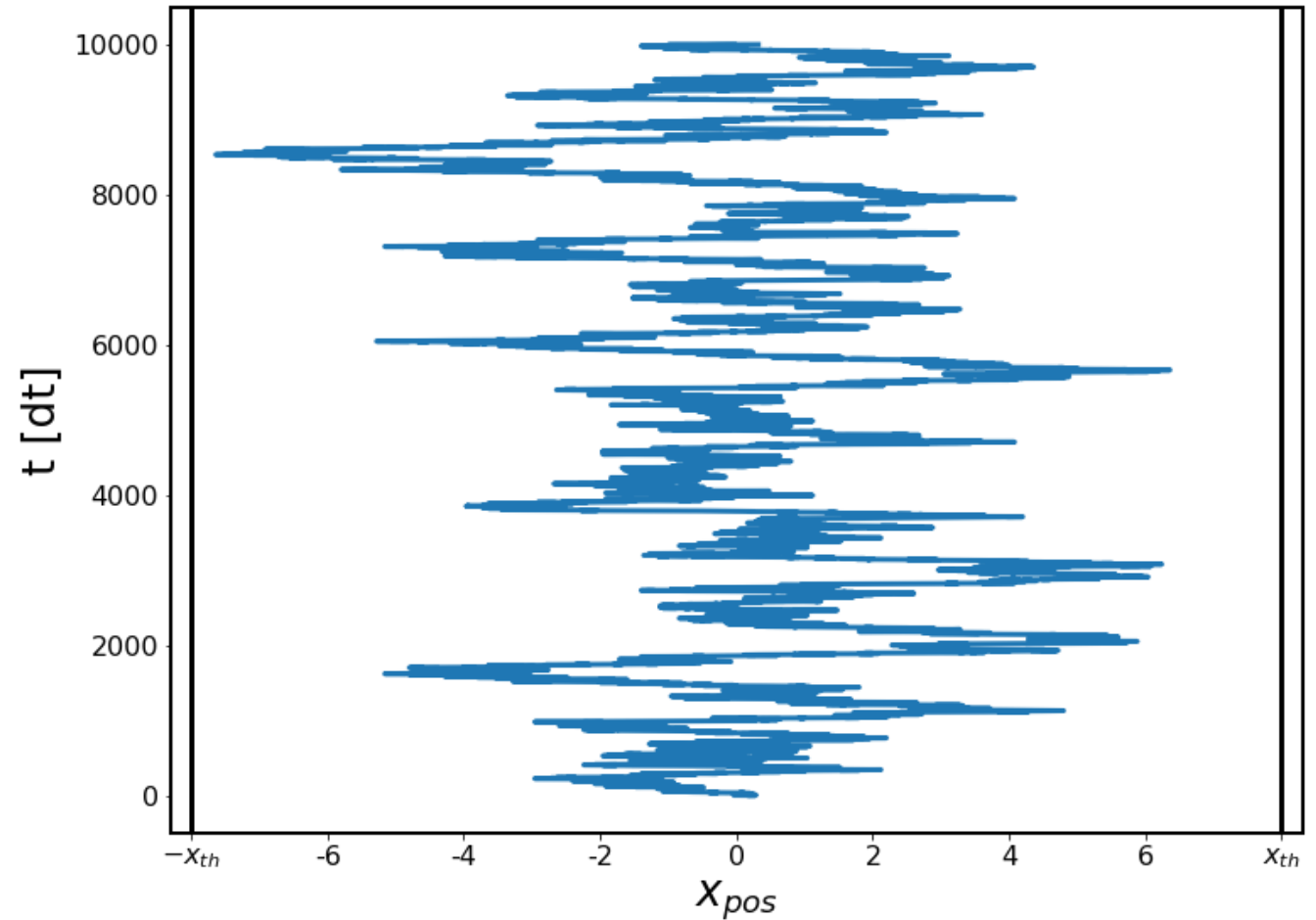
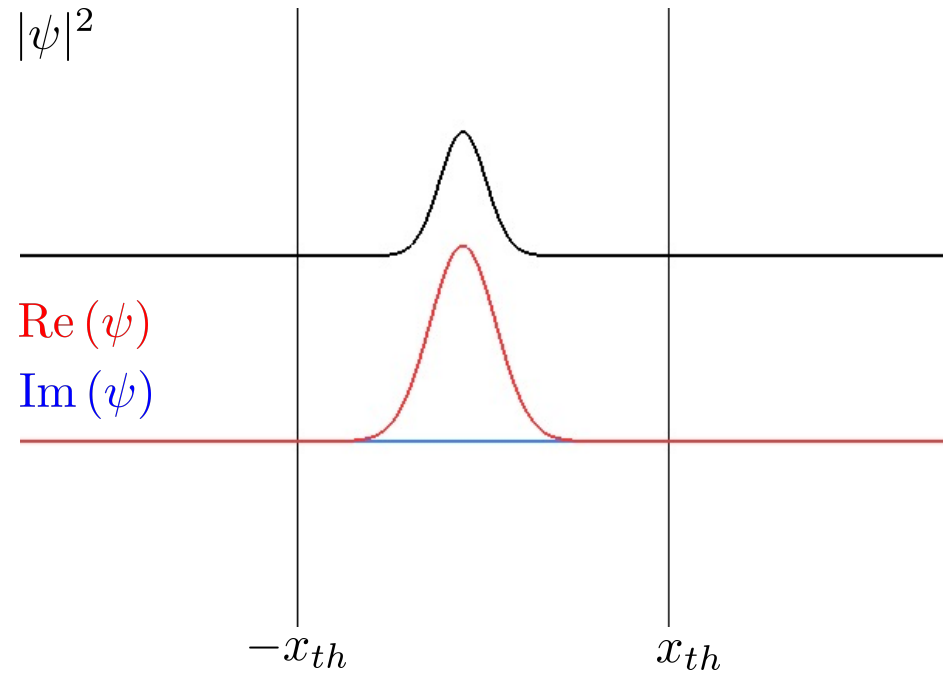
# Quantum Cartpole environment



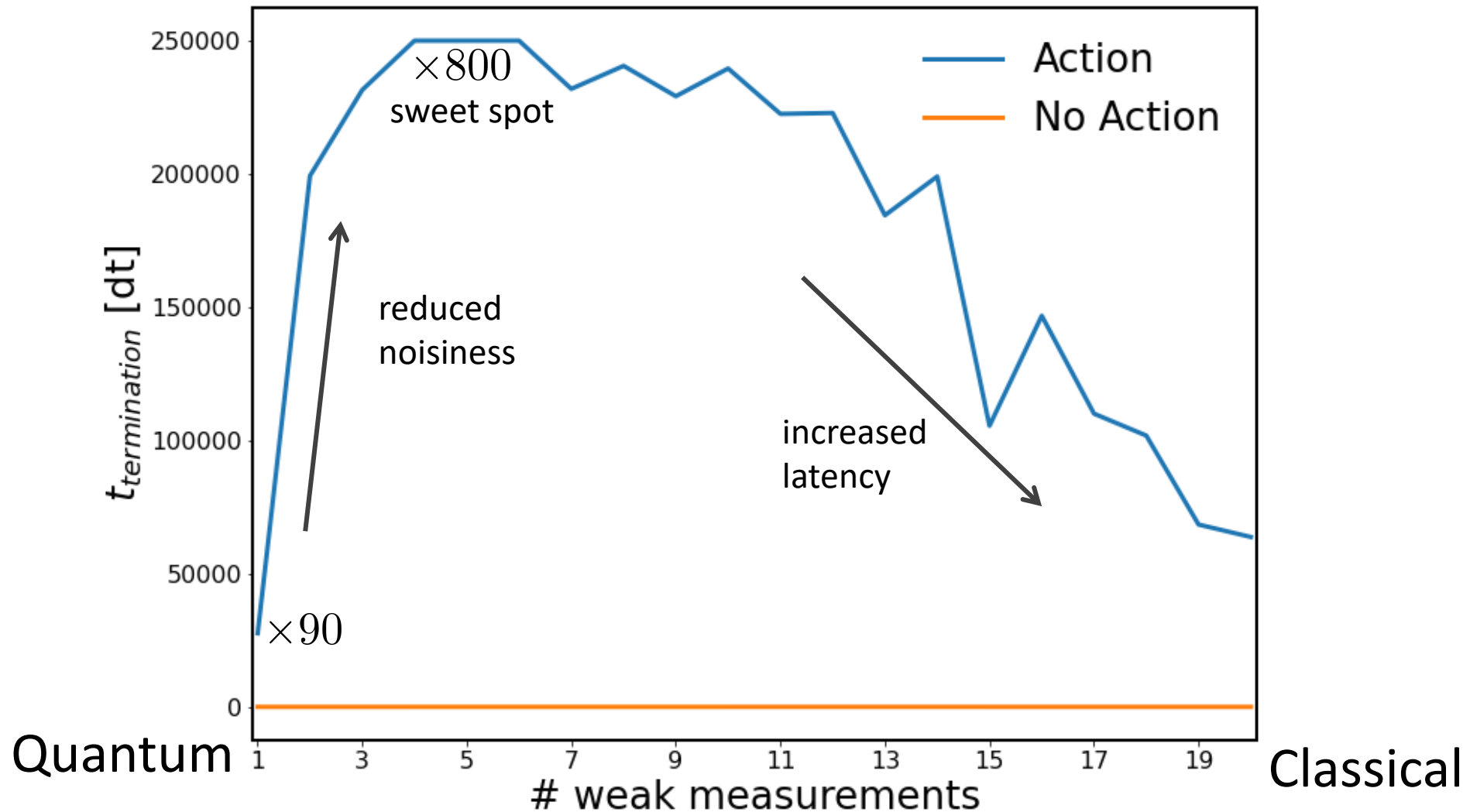
# Quantum Cartpole environment



# Applied controls



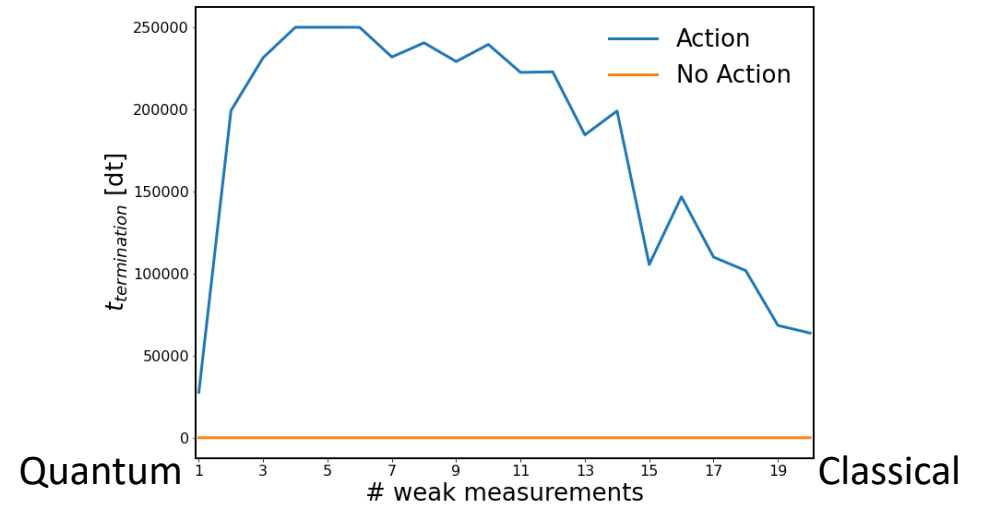
# Applied controls





# Conclusion

- Connect RL with quantum control
- Build a quantum benchmark environment for RL
- Stabilized the wavefunction in the quantum and classical regime



# Thank you for your attention!

Quantum Cartpole

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